



*Approche multimodale par spectroscopies IR, Raman  
et hyper-Raman/hyper-Rayleigh:  
Relation structure/propriétés dans les verres  
 $\text{TeO}_2\text{-TaO}_{5/2}\text{-ZnO}$*

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Laser & Photonics  
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Relation structure/propriétés dans les verres  
 $\text{TeO}_2\text{-TaO}_{5/2}\text{-ZnO}$*

G. Guéry (PhD work)

K. Richardson

T. Cardinal

M. Dussauze, F. Adamietz,

V. Rodriguez

CREOL, UCF, FL, USA

ICMCB, U Bordeaux, FR

ISM, U Bordeaux, FR



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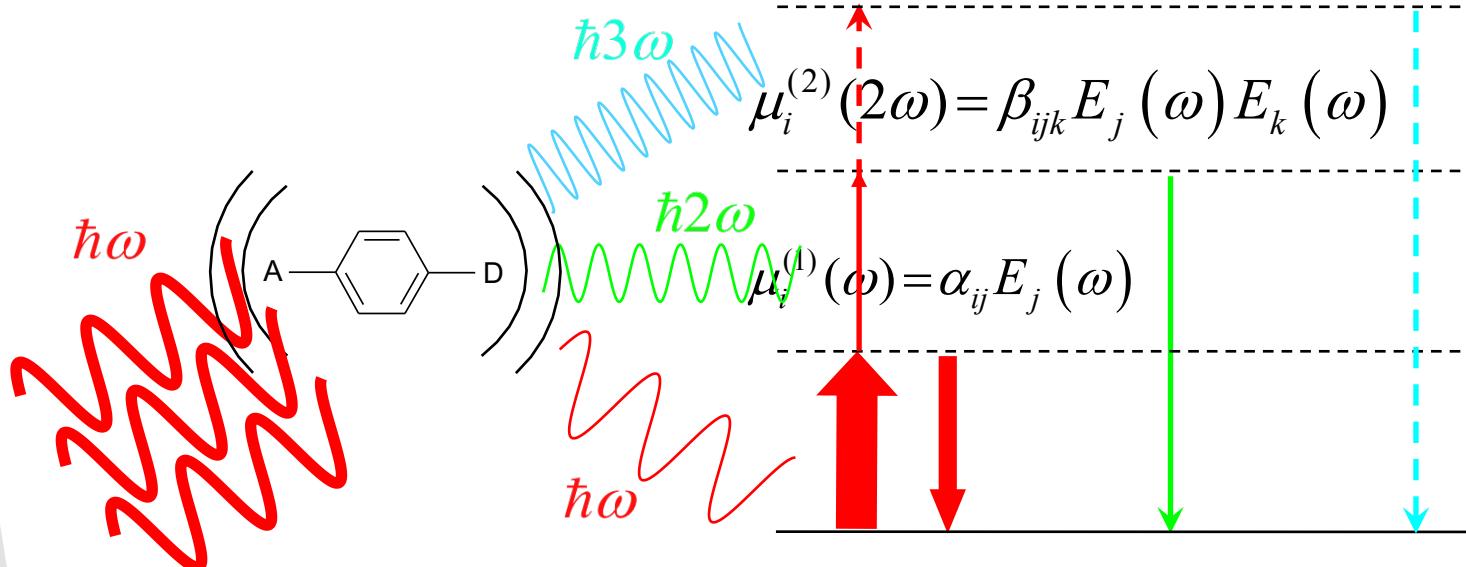


# Quadratic Nonlinear Optics

## Molecular Dipolar electric response

$$P_i = \underline{\mu_i^{(0)}} + \underline{\mu_i^{(1)}(\omega)} + \underline{\mu_i^{(2)}(2\omega)} + \underline{\mu_i^{(3)}(3\omega)} + \dots$$

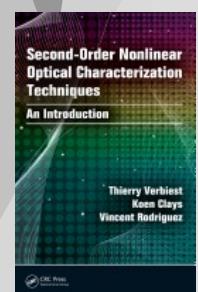
$$\mu_i^{(3)}(3\omega) = \gamma_{ijkl} E_j(\omega) E_k(\omega) E_l(\omega)$$



$\gamma$ : second hyperpolarizability

$\beta$ : first hyperpolarizability

$\alpha$ : polarizability



T. Verbiest, K. Clays, V. Rodriguez, « Second-order nonlinear optical characterizations techniques : An Introduction», CRC Press, Francis & Taylor Group, Boca Raton, 2009.

# Quadratic Nonlinear Optics

$$P = \mu^{(0)} + \alpha E + \beta EE + \gamma EEE + \dots$$

*Isotropic, quadrupolar*

$\alpha$ : polarizability

*Isotropic, quadrupolar,  
hexacadelcapolar*

$\gamma$ : second hyperpolarizability

*Dipolar, octupolar*

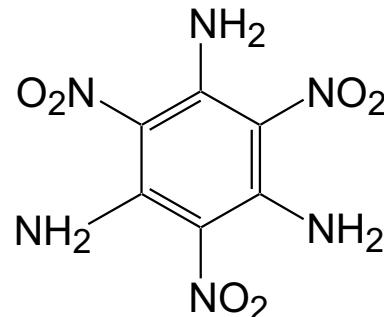
$\beta$ : first hyperpolarizability

*1-D/push-pull*

p-nitroaniline  
(PNA)



*Octupolar*



*Symmetry rules*

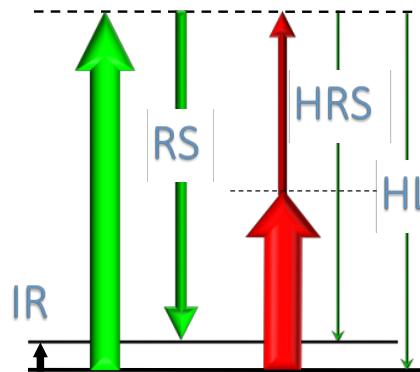
Always active  
/even terms

noncentrosymmetric  
molecules /odd term



# Multimodal techniques

Extended vibrational studies:  
multipolar activity



IR: Infrared

RS: Raman scattering  
(spontaneous)

HRS: hyper-Raman scattering  
(spontaneous)

HLS: harmonic Light Scattering  
/hyper-Rayleigh  
(spontaneous)

$$\mu_i^{(2)}(2\omega) = \beta_{ijk} E_j(\omega) E_k(\omega)$$

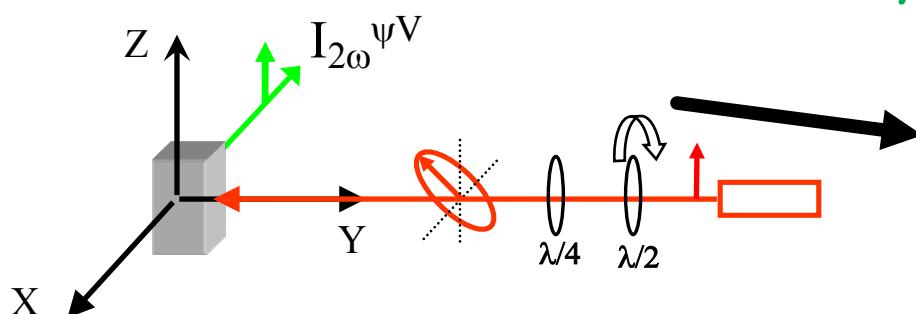
$$\left( \frac{dP_i}{dQ} \right)_{Q=0} = \left( \frac{d\mu_i^{(0)}}{dQ} \right)_{Q=0} + \left( \frac{d\alpha_{ij}}{dQ} \right)_{Q=0} E_j(\omega) + 1/2 \left( \frac{d\beta_{ijk}}{dQ} \right)_{Q=0} E_j(\omega) E_k(\omega) + \dots$$

V. Rodriguez, J. Raman Spectrosc., 2012, 43, 627.

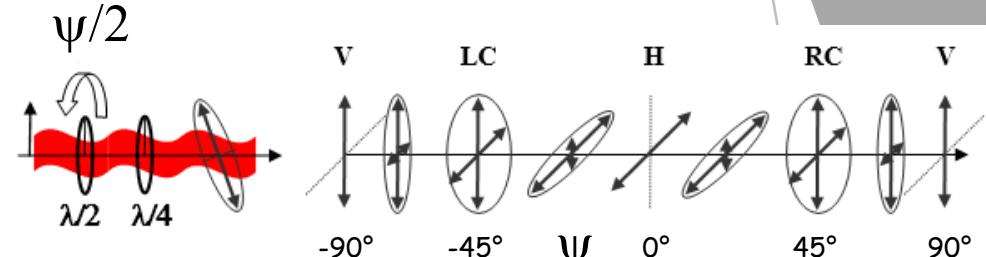
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# Hyper-Raman/hyper-Rayleigh and Raman setup

## Hyper-Raman/hyper-Rayleigh setup

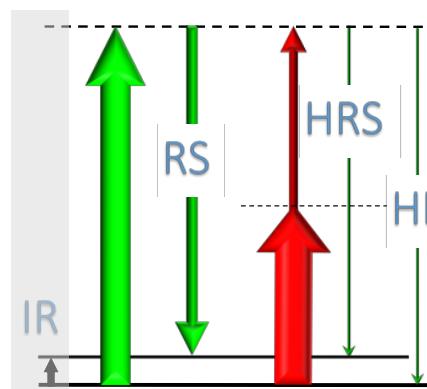
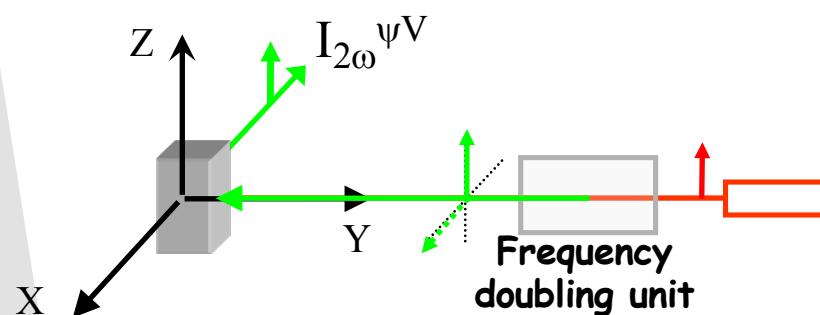


*Polarization-resolved technique*

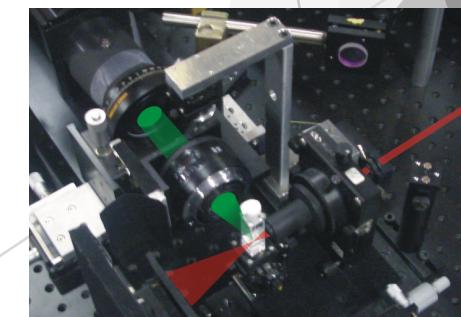


Laser Source : Nd:YVO<sub>4</sub> @1064 nm,  
65 ps, 2kHz, E < 50 μJ

## Raman configuration (pulsed mode)



An optimized setup for the study of liquids, solids...



V. Rodriguez, J. Raman Spectrosc., 2012, 43, 627.

Vincent Rodriguez, ISM, Université de Bordeaux

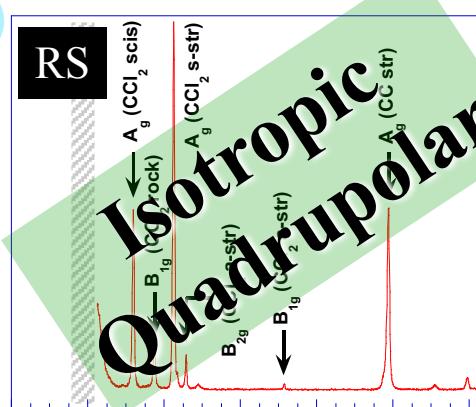
# Extended vibrational studies: multipolar activity

*A simple example*



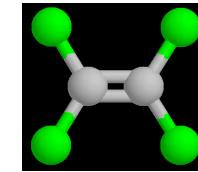
Combining  
the 3 techniques

e\*



Pure liquid  $\text{C}_2\text{Cl}_4$

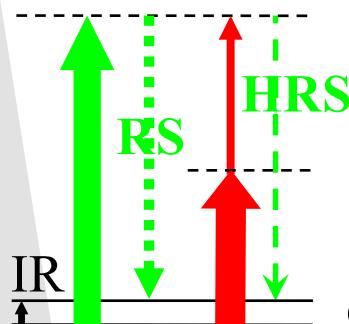
Group symmetry  $D_{2h}$ :



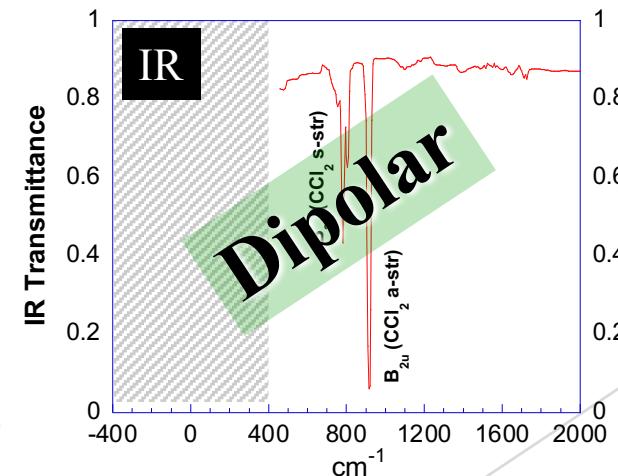
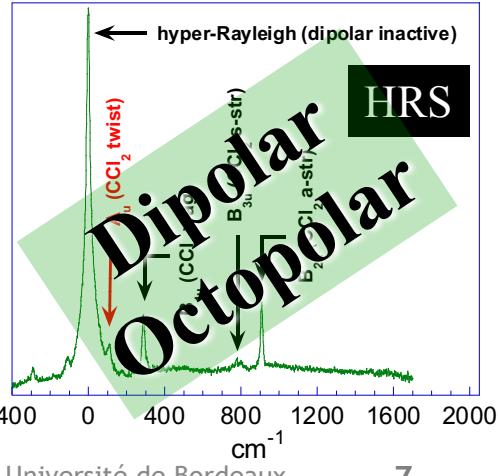
$$\Gamma_{\text{IR}} = [\text{B}_{1u} \oplus 2 \text{ B}_{2u} \oplus 2 \text{ B}_{3u}]$$

$$\Gamma_{\text{RS}} = [3 \text{ A}_g] \oplus [2 \text{ B}_{1g} \oplus \text{B}_{2g}]$$

$$\Gamma_{\text{HRS}} = [\Gamma_{\text{IR}}] \oplus [\text{A}_u \text{ (silent mode)}]$$



e



# Extended vibrational studies: multipolar activity

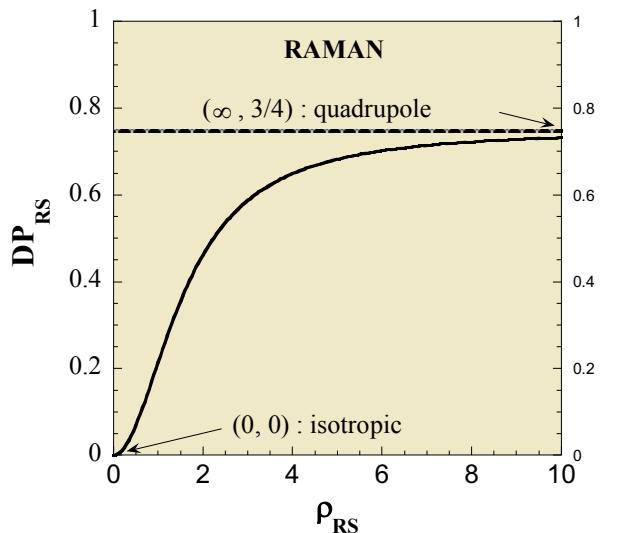
*Symmetry rules in any isotropic media  
...including glasses*



$$\langle \alpha_{//}^2 \rangle \propto \frac{1}{3} \alpha_{J=0}^2 + \frac{2}{15} \alpha_{J=2}^2$$

$$\langle \alpha_{\perp}^2 \rangle \propto + \frac{1}{10} \alpha_{J=2}^2$$

$$DP_{RS} = \frac{\langle \alpha_{\perp}^2 \rangle}{\langle \alpha_{//}^2 \rangle} = \frac{3\rho_{RS}^2}{10 + 4\rho_{RS}^2}; \quad \rho_{RS} = \frac{\alpha_{J=2}}{\alpha_{J=0}}$$

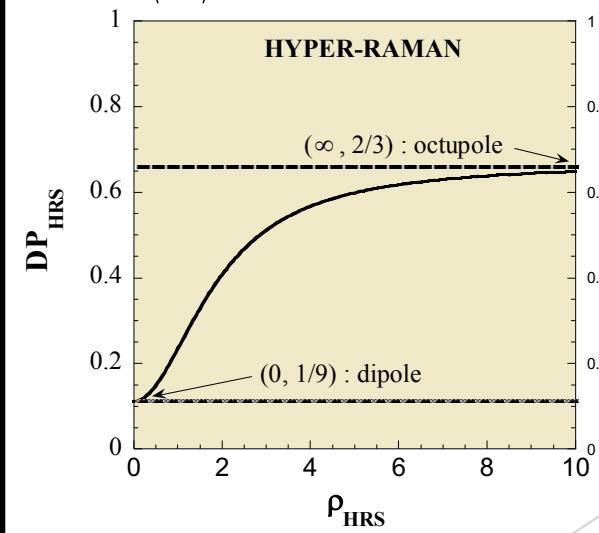


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$$\langle \beta_{//}^2 \rangle \propto \frac{1}{5} \beta_{J=1}^2 + \frac{2}{35} \beta_{J=3}^2$$

$$\langle \beta_{\perp}^2 \rangle \propto \frac{1}{45} \beta_{J=1}^2 + \frac{4}{105} \beta_{J=3}^2$$

$$DP_{HRS} = \frac{\langle \beta_{\perp}^2 \rangle}{\langle \beta_{//}^2 \rangle} = \frac{1}{9} \left[ \frac{7 + 12\rho_{HRS}^2}{7 + 2\rho_{HRS}^2} \right]; \quad \rho_{HRS} = \frac{\beta_{J=3}}{\beta_{J=1}}$$

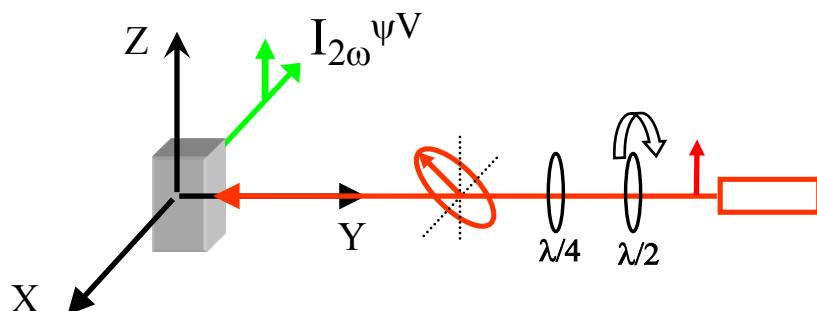


Verre Bordeaux 2016, 17-18 Nov 2016, ICMCB, Pessac

# Extended vibrational studies: multipolar activity

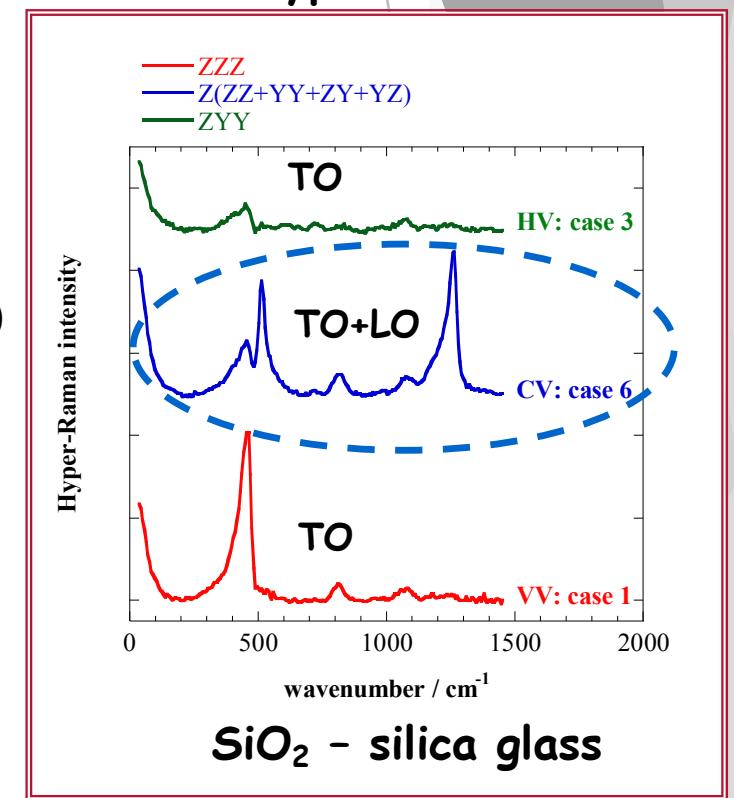


## Hyper-Raman/hyper-Rayleigh setup



## Polarization-resolved technique

New additional TO-LO selection rules  
in hyper-Raman



## Vibrational Multipolar Decomposition

(with reduced RS and HRS intensities: at least corrected from Temperature)

$$\text{Isotropic} \quad (J = 0 : \text{RS}) \quad I_{l=0} \propto +3I_{\text{RS}}^{\text{VV}} \quad -4I_{\text{RS}}^{\perp}$$

$$\text{Dipolar :TO} \quad (J = 1 : \text{HRS}) \quad I_{l=1}^{\text{TO}} \propto +2I_{\text{HRS}}^{\text{VV}} \quad -3I_{\text{HRS}}^{\text{HV}} ; \quad (\text{IR}) : \varepsilon''(\bar{\nu}) \propto \text{Abs}(\bar{\nu}) / \bar{\nu}$$

$$\text{:LO} \quad (J = 1 : \text{HRS}) \quad I_{l=1}^{\text{LO}} \propto +2I_{\text{HRS}}^{\text{VH}} \quad -I_{\text{HRS}}^{\text{CH}} ; \quad (\text{IR}) : -\text{Im}(1/\varepsilon)$$

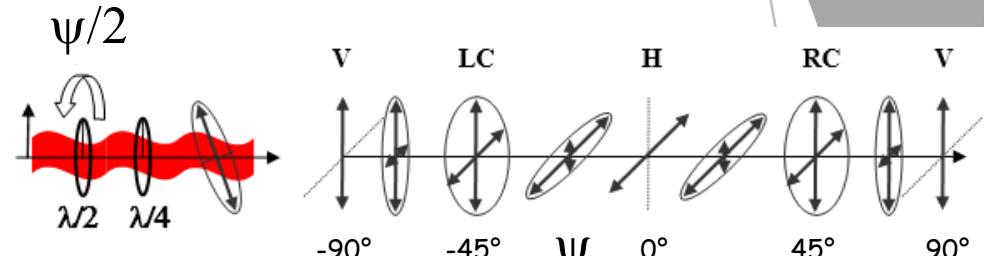
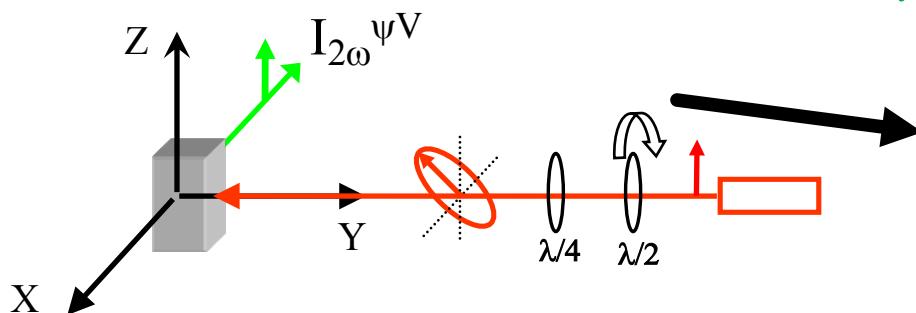
$$\text{Quadrupolar} \quad (J = 2 : \text{RS}) \quad I_{l=2} \propto \quad I_{\text{RS}}^{\perp}$$

$$\text{Octupolar} \quad (J = 3 : \text{HRS}) \quad I_{l=3} \propto -I_{\text{HRS}}^{\text{VV}} \quad +9I_{\text{HRS}}^{\text{HV}}$$

V. Rodriguez, J. Raman Spectrosc., 2012, 43, 627.

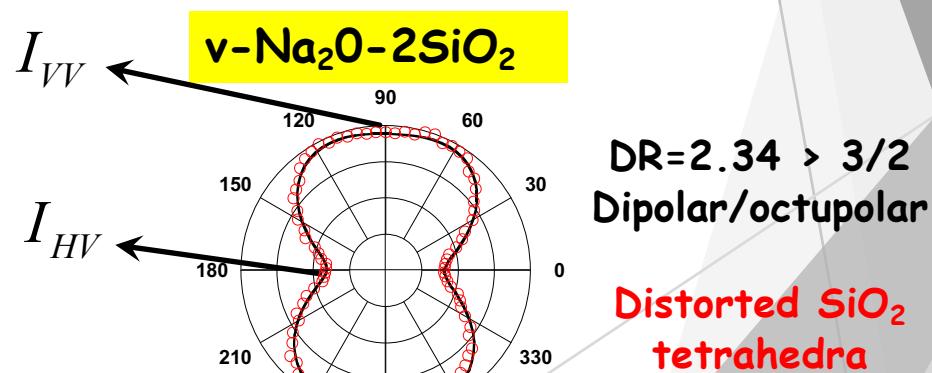
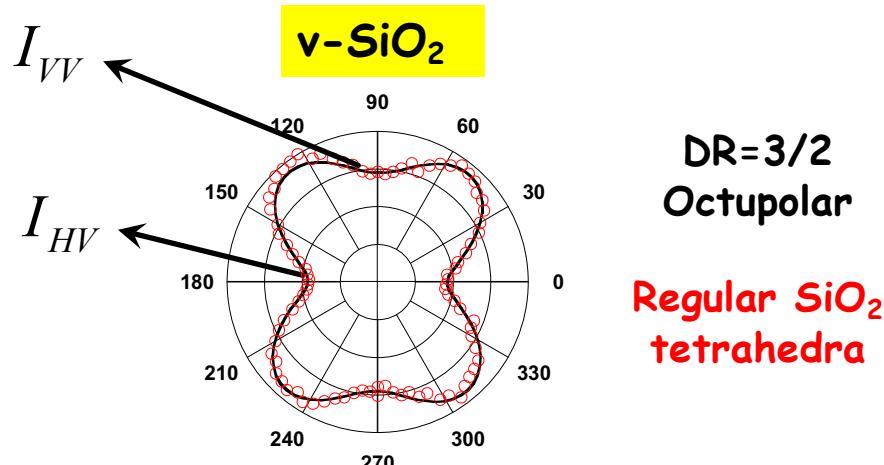
# Hyper-Rayleigh Scattering: a unique tool to elucidate the (Nano) Structure of materials

*Polarization-resolved technique*



→ gives an indication of the dipolar /octupolar nature of the ESU:  $(DR = I_{VV} / I_{HV})$

ESU: Elementary Structural Unit

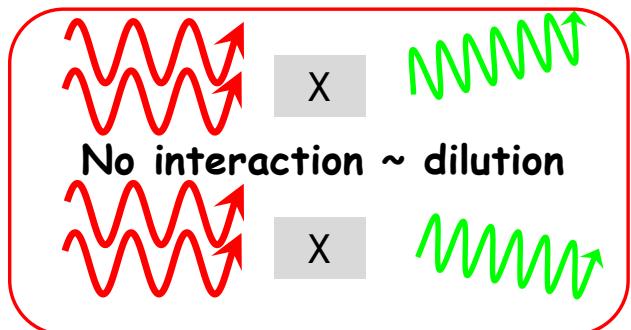


# Hyper-Rayleigh Scattering: a unique tool to elucidate the (Nano) Structure of materials

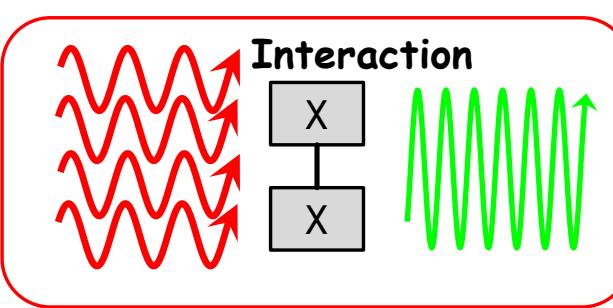


→ sensible to the special extent of the ESU

## Structural Incoherent response



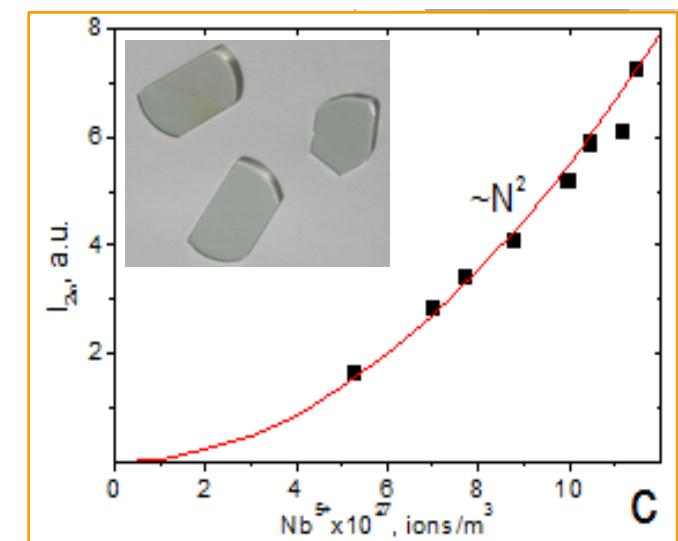
## Structural Coherent response



→ sensible to nonlocal response of sizable nanoclusters ( $d > \sim 15$  nm)  
(Quadrupolar effective electric response)

Sodium Niobium Borophosphate

oxide glasses (BPNx)



Coherent response from highly correlated nanoclusters of  $\text{NbO}_3$

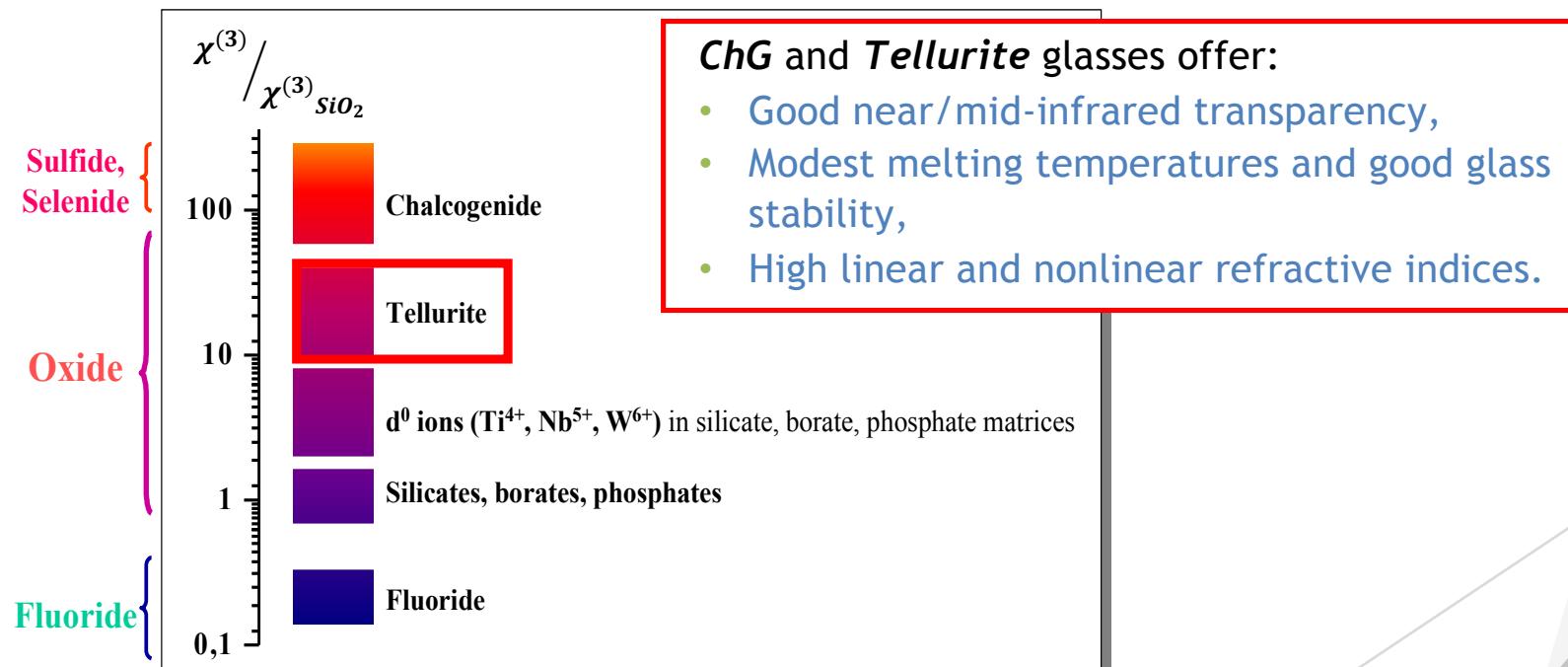
# Te-based Glasses for Raman gain

$$P_i = \mu_i^{(0)} + \alpha_{ij} E_j + \beta_{ijk} E_j E_k + \gamma_{ijkl} E_j E_k E_l + \dots$$

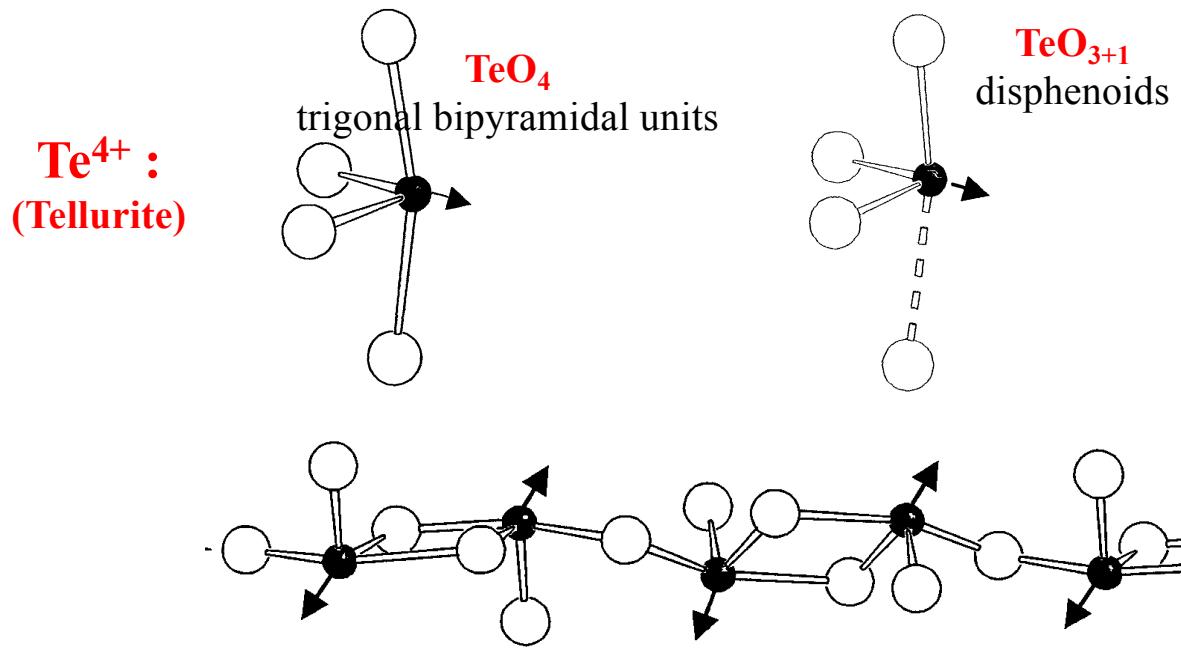
Third-order nonlinear polarization  
(Stimulated Raman Gain-SRG)

## Glass Families for nonlinear optical applications

Measured at 1.5 μm



# Te-based Glasses for Raman gain



V. Rodriguez et al., *Hyper-Raman and Raman scattering in paratellurite  $\text{TeO}_2$ .*  
Journal of Raman Spectroscopy 2013, 44, 739-745.

# Te-based Glasses for Raman gain

TeO<sub>2</sub>-TaO<sub>5/2</sub>-ZnO glass system

(80+x)TeO<sub>2</sub>-(20-x)TaO<sub>5/2</sub>  
Glass modifier

80TeO<sub>2</sub>-(20-y)TaO<sub>5/2</sub>-yZnO  
Glass former

*impact of the  
glass structure ?*

**Effect of the glass  
polymerization ?**

Trade-off in the choice of the  
glass modifiers: ZnO helps for the  
fiber fabrication...  
but what about the consequences ?

*Raman gain response ?  
NLO responses ?*

V. Rodriguez et al., JPC C 2016, 120, 23144.

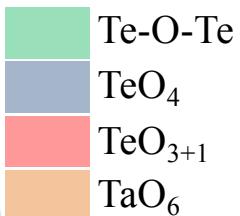
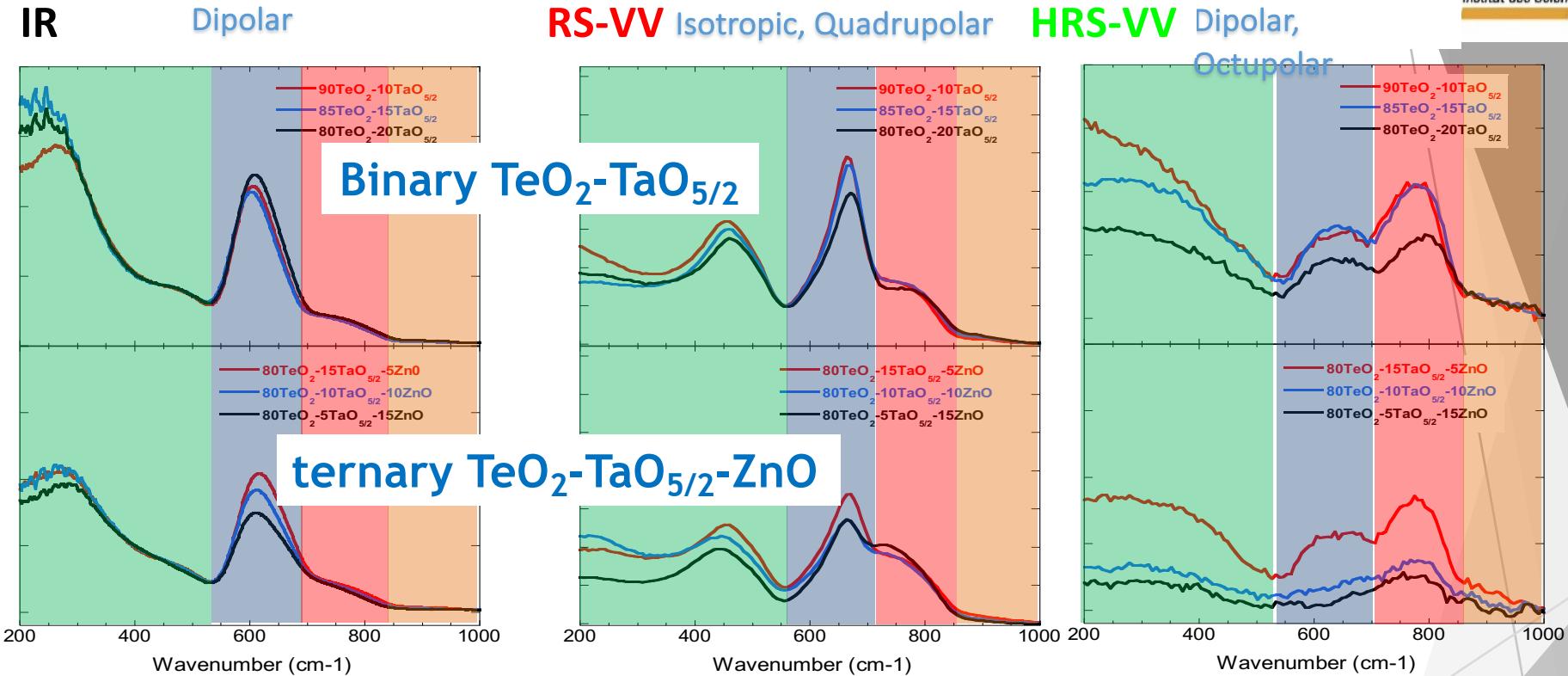
*vibrational responses  
and signatures ?*

G. Guéry et al., Int. J. of Applied Glass Science 2014, 5(2), 178

G. Guéry et al., Chemical Physics Letters 2012, 554, 123.

# Te-based Glasses for Raman gain

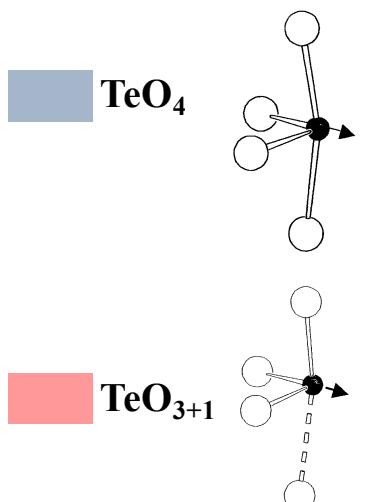
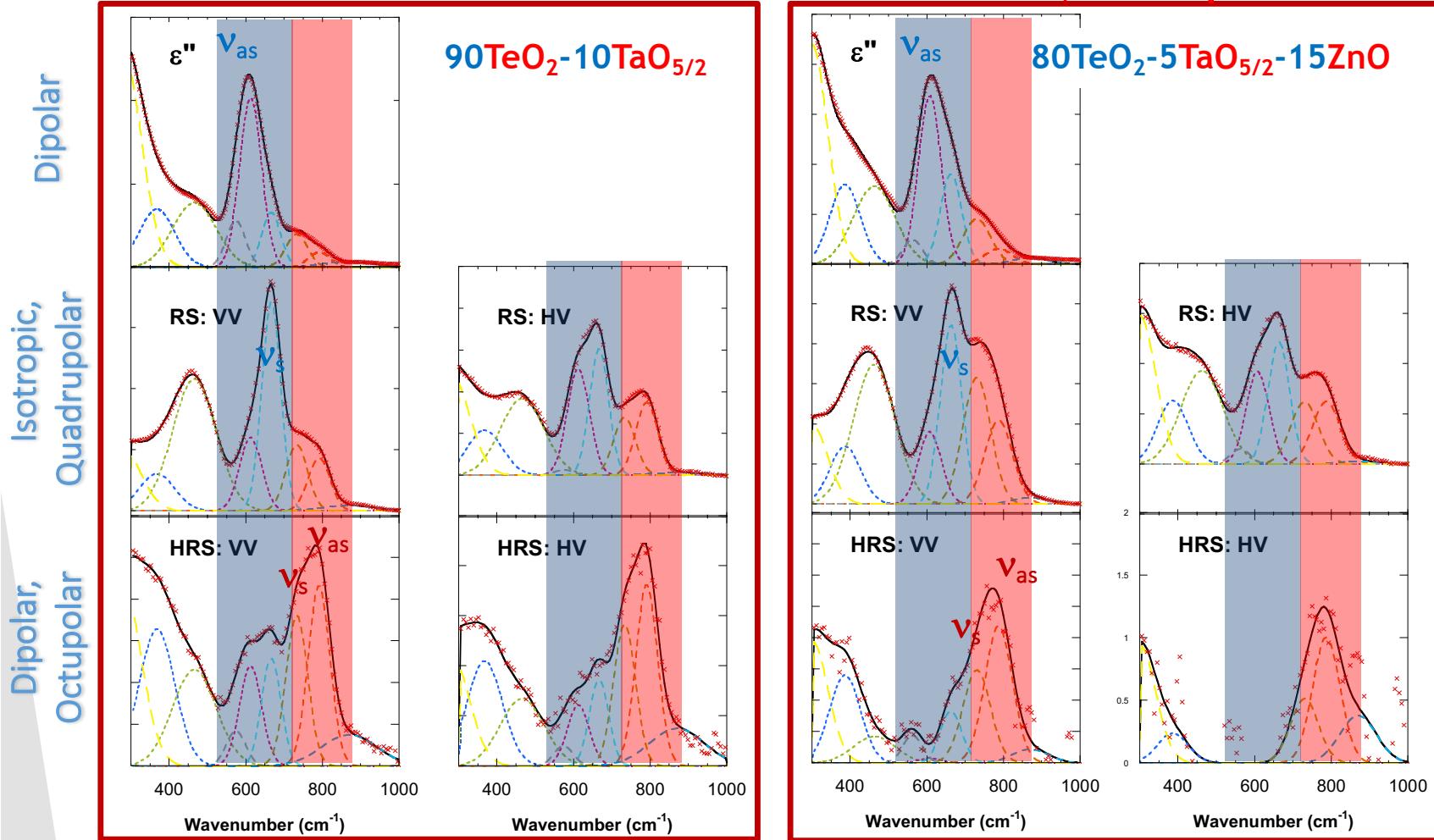
## Extended vibrational studies:



Vibrational spectra (IR, RS and HRS) are governed by the tellurite network  
 → Need of spectrum deconvolution for obtaining the ‘real’ species’ contributions.

# Te-based Glasses for Raman gain

## Extended vibrational studies: one model, five spectra

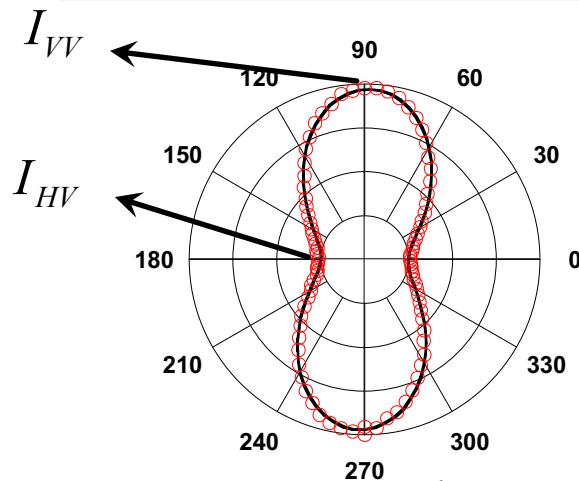


# Te-based Glasses for Raman gain

$(80+x)\text{TeO}_2-(20-x)\text{TaO}_{5/2}$   
 Glass modifier  
*impact of the glass structure ?*

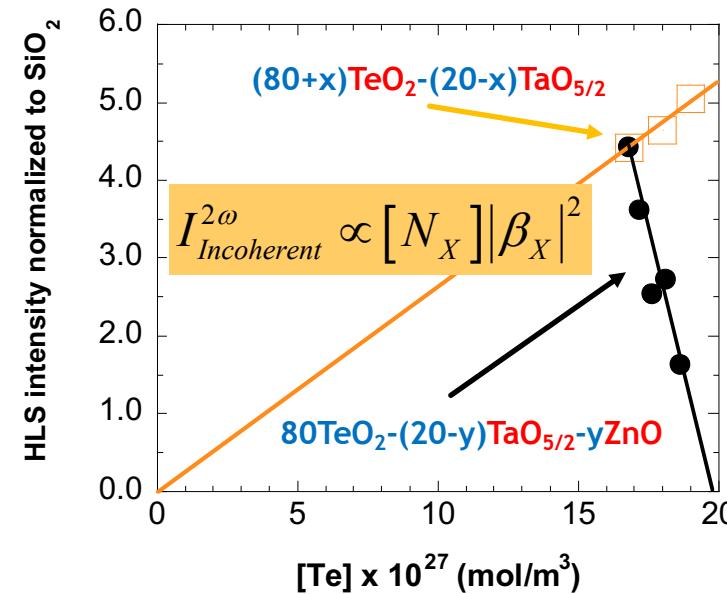
$80\text{TeO}_2-(20-y)\text{TaO}_{5/2}-y\text{ZnO}$   
 Glass former  
*Effect of the glass polymerization ?*

**No change with composition**  
 $\text{DR} \sim 3.8$  (more dipolar)  
**No change of ESU structure**

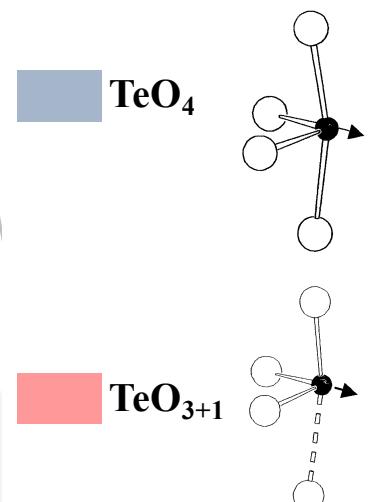


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*Structure insights  
from hyper-Rayleigh scattering*



**Structural incoherent response:  
Behavior of « diluted-like ESU »**



# Te-based Glasses for Raman gain

$(80+x)\text{TeO}_2-(20-x)\text{TaO}_{5/2}$   
 Glass modifier  
*impact of the glass structure ?*

$80\text{TeO}_2-(20-y)\text{TaO}_{5/2}-y\text{ZnO}$   
 Glass former  
*Effect of the glass polymerization ?*

**LO and NLO responses**  
*(HLS,Raman gain and Linear susceptibility)*

Raman gain measured with spontaneous Raman  
 (C. Rivero et al.)

$$|\chi^{(1)}|^2 = \left[ (n^2 - 1) / 4\pi \right]^2$$

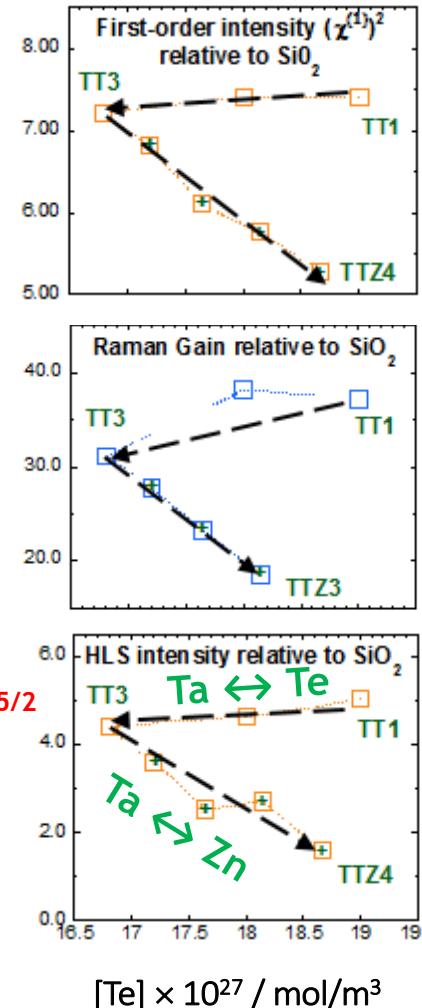
@1064 nm

$$|\chi^{(3)}|^2$$

@752 nm  
 $(660 \text{ cm}^{-1})$

$$|\chi^{(2)}|^2$$

$80\text{TeO}_2-20\text{TaO}_{5/2}$   
 @1064 nm



Introduction of tantalum oxide slightly decreases the susceptibilities

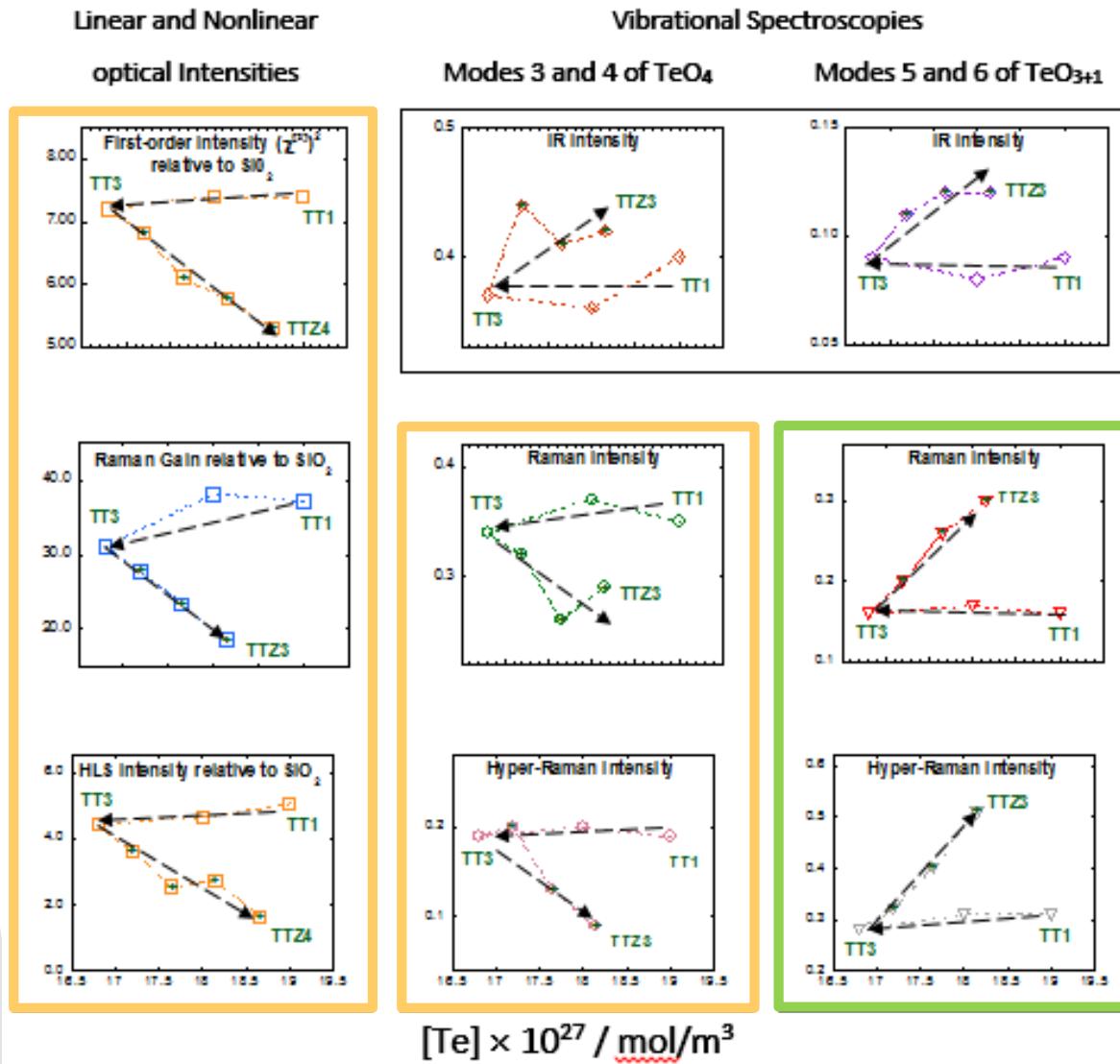
Introduction of zinc oxide drastically decreases the susceptibilities

$80\text{TeO}_2-5\text{TaO}_{5/2}-15\text{ZnO}$

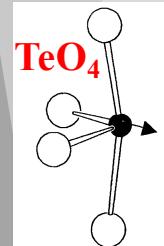
$90\text{TeO}_2-10\text{TaO}_{5/2}$

$80\text{TeO}_2-20\text{ZnO}$

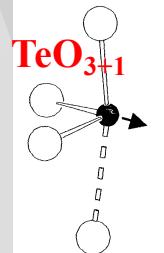
# Te-based Glasses for Raman gain



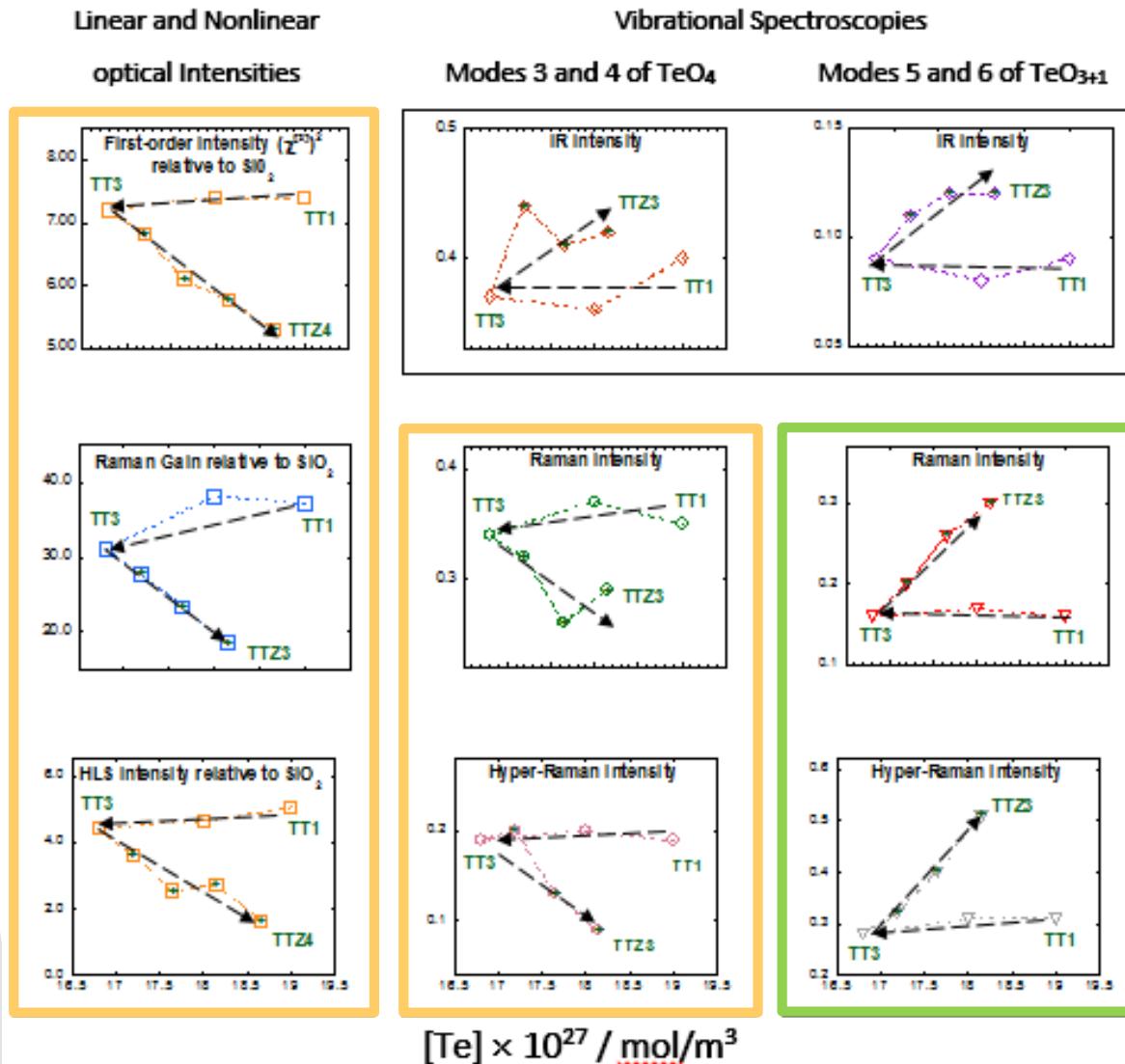
Strong correlation of the decrease of the susceptibilities and the RS and HRS intensities of TeO<sub>4</sub>...



... while RS and HRS intensities of TeO<sub>3+1</sub> increase.

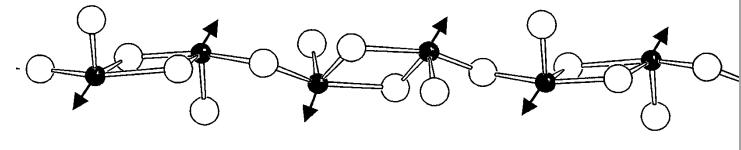


# Te-based Glasses for Raman gain



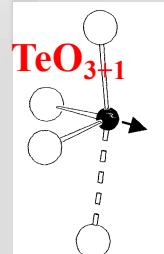
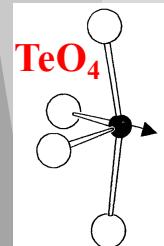
Strong correlation of the decrease of the susceptibilities and the RS and HRS intensities of TeO<sub>4</sub>...

TeO<sub>2</sub> chain-like arrangement

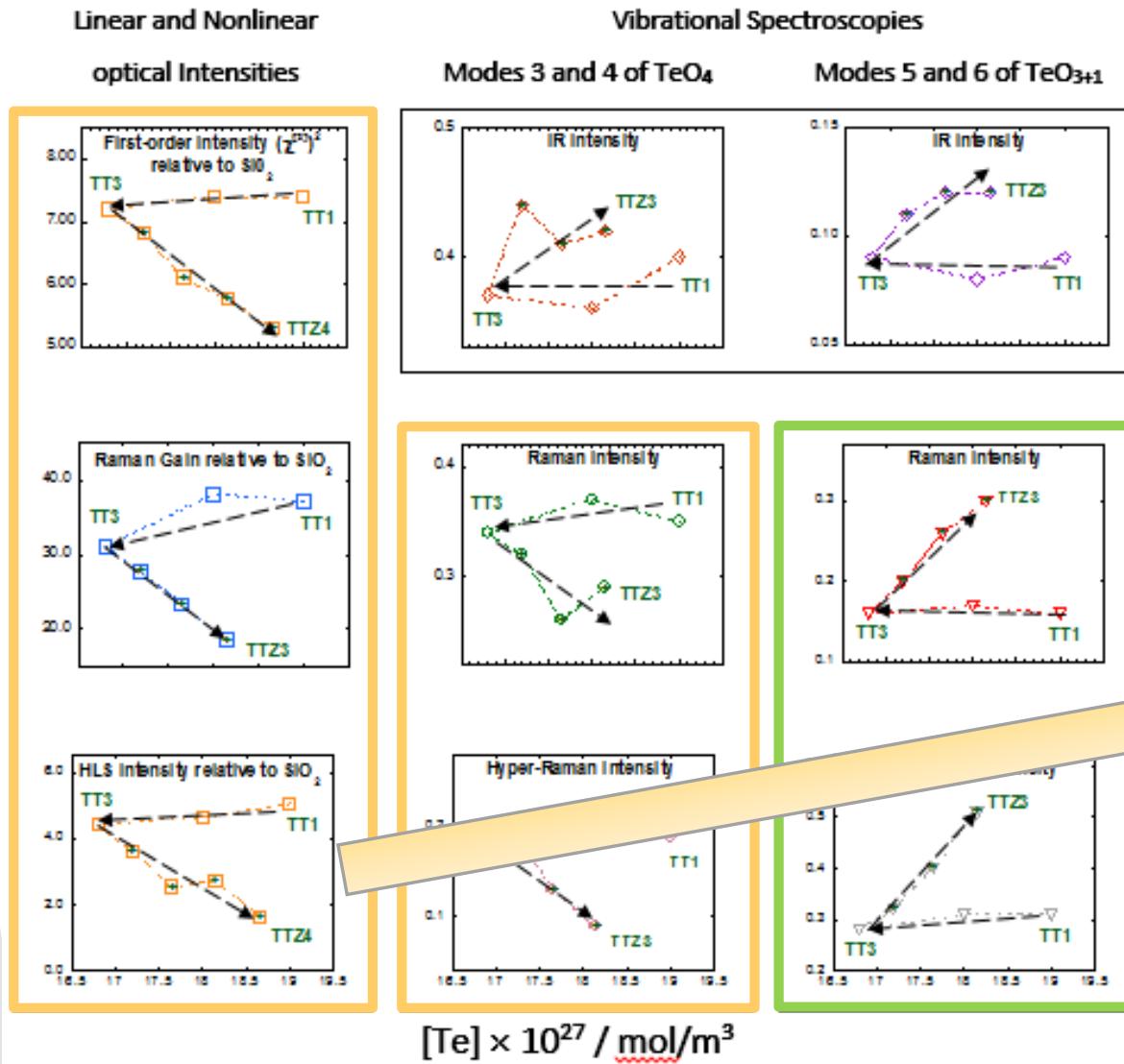


Discontinuity of Te-O-Te chains:  
change of the size of correlated chains

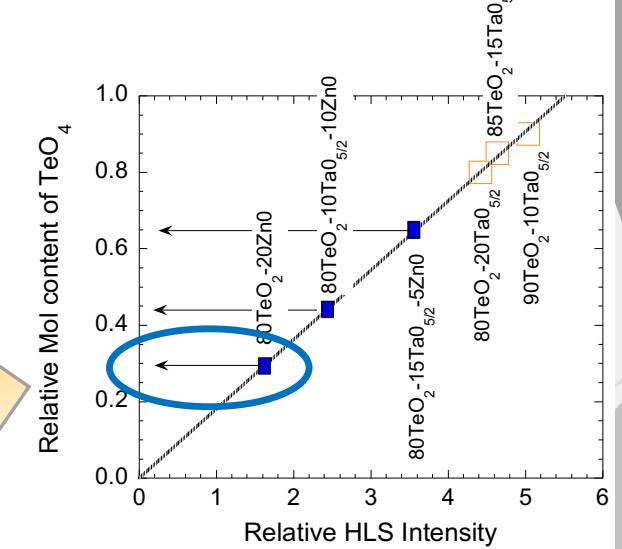
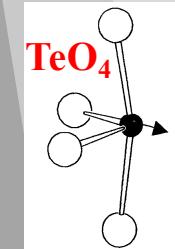
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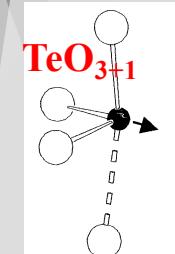
# Te-based Glasses for Raman gain



Strong correlation of the decrease of the susceptibilities and the RS and HRS intensities of  $\text{TeO}_4$ ...



In good accordance with neutron diffraction results of  $80\text{TeO}_2 - 20\text{ZnO}$





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et hyper-Raman/hyper-Rayleigh:  
Relation structure/propriétés dans les verres  
 $\text{TeO}_2\text{-TaO}_{5/2}\text{-ZnO}$*

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# Quadratic Nonlinear Optics

## *Linear and nonlinear dielectric properties*



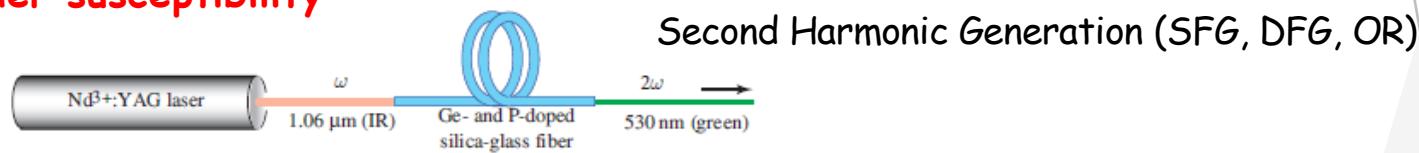
The induced polarization of a medium is given by  $P(\omega) = \sum_i \mu_i(\omega) = N f_\omega [\alpha(\omega) E(\omega)] = \chi^{(1)}(\omega) E(\omega)$

N: number density of molecules,  $f_\omega = \frac{n_\omega^2 + 2}{3}$ : local field factor (Lorentz-Lorenz)

$\chi^{(1)}$  : first-order susceptibility (or linear susceptibility)  $n_\omega^2 = \epsilon_\omega = 1 + 4\pi\chi^{(1)}(\omega)$

→ Optical constants:  $\hat{n}(\omega) = n(\omega) + ik(\omega)$  Maxwell (homogeneous medium):  $(\hat{n}^2 = \epsilon = \epsilon' + i\epsilon'')$

$\chi^{(2)}$  : second-order susceptibility



$\chi^{(3)}$  : Third-order susceptibility

A lot of processes.... (Four waves mixing)

Raman gain (stimulated Raman)

