



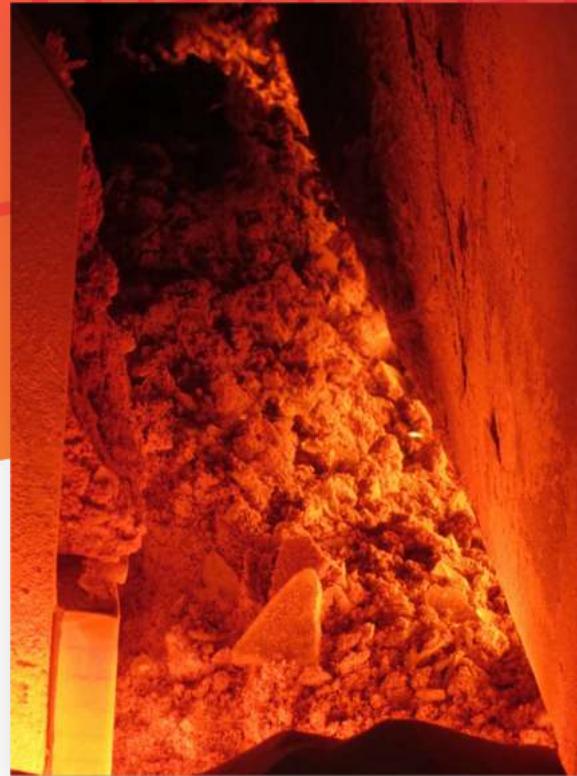
THE BASICS OF GLASS SYNTHESIS (OXIDE GLASS) & IN-SITU VISUAL OBSERVATIONS OF GLASS MELTING PROCESSES

ICG Spring School Lloret del Mar, April 30th 2024

Sophie Papin & Emmanuelle Gouillart - Saint-Gobain Research Paris
Richard Pokorny – University of Chemistry and Technology Prague, Czechia
... with the fruitful help of Sophie Schuller!

CONTENTS

- 01** Float glass production: thermodynamics & melting paths
- 02** Modeling of batch melting

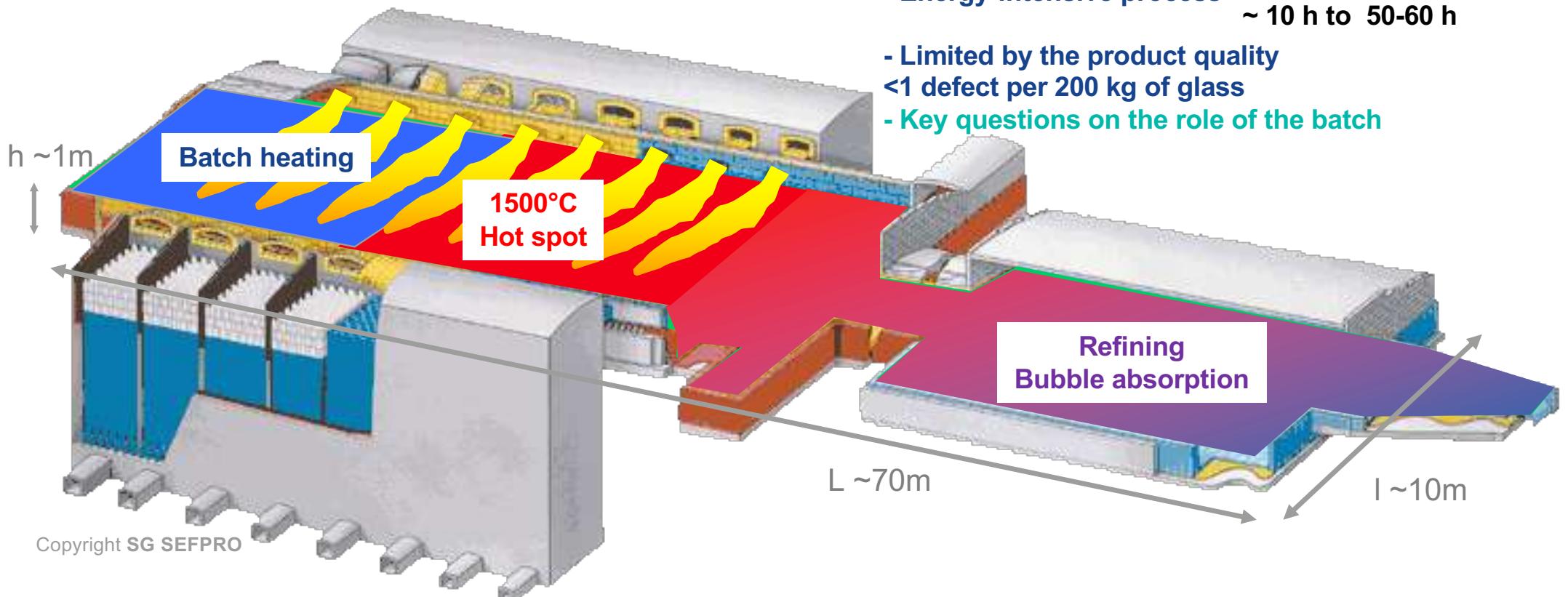


WINDOW & WINDSHIELD: FLOAT GLASS PROCESS

Thermodynamics & Batch melting paths

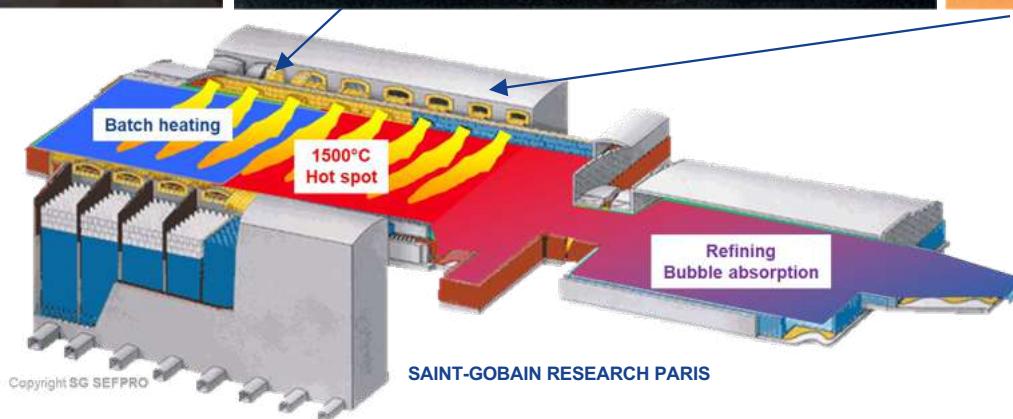
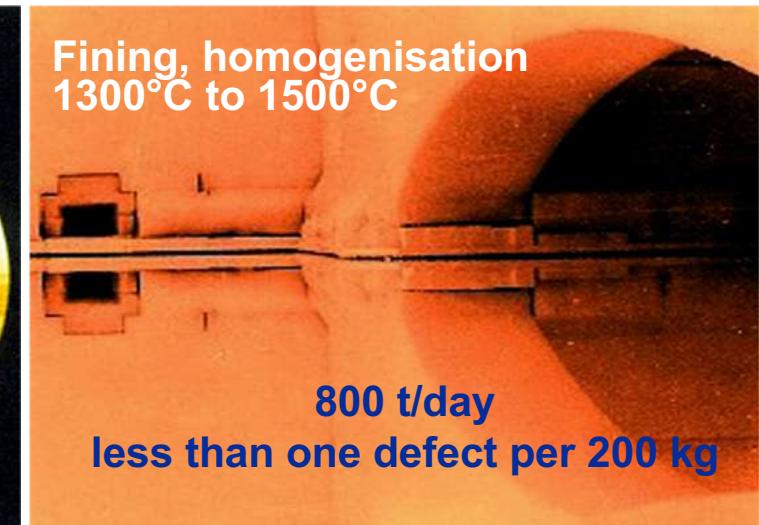
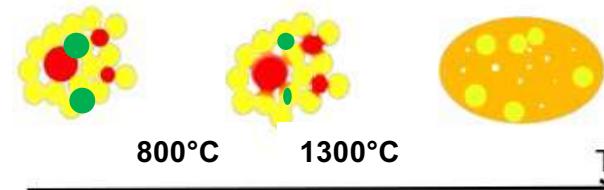
FLOAT GLASS

GLASS QUALITY CHALLENGE



FLOAT GLASS

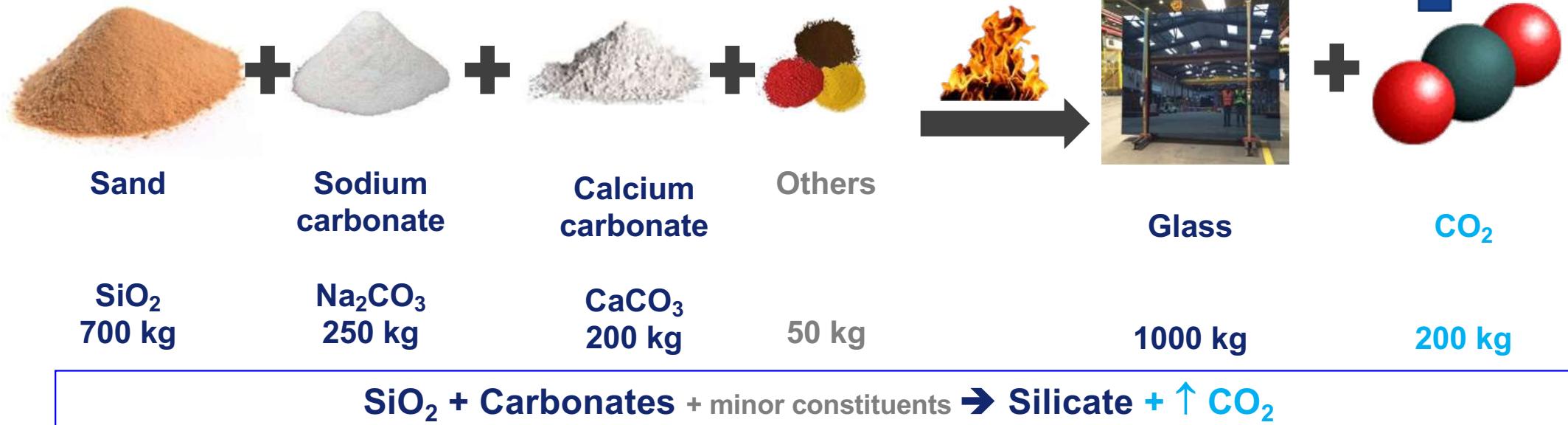
GLASS QUALITY CHALLENGE



THE SODA LIME SILICATE CASE

BATCH COMPOSITION

Industrial batch : max 40% recycled glass (cullet)
+ Raw Materials



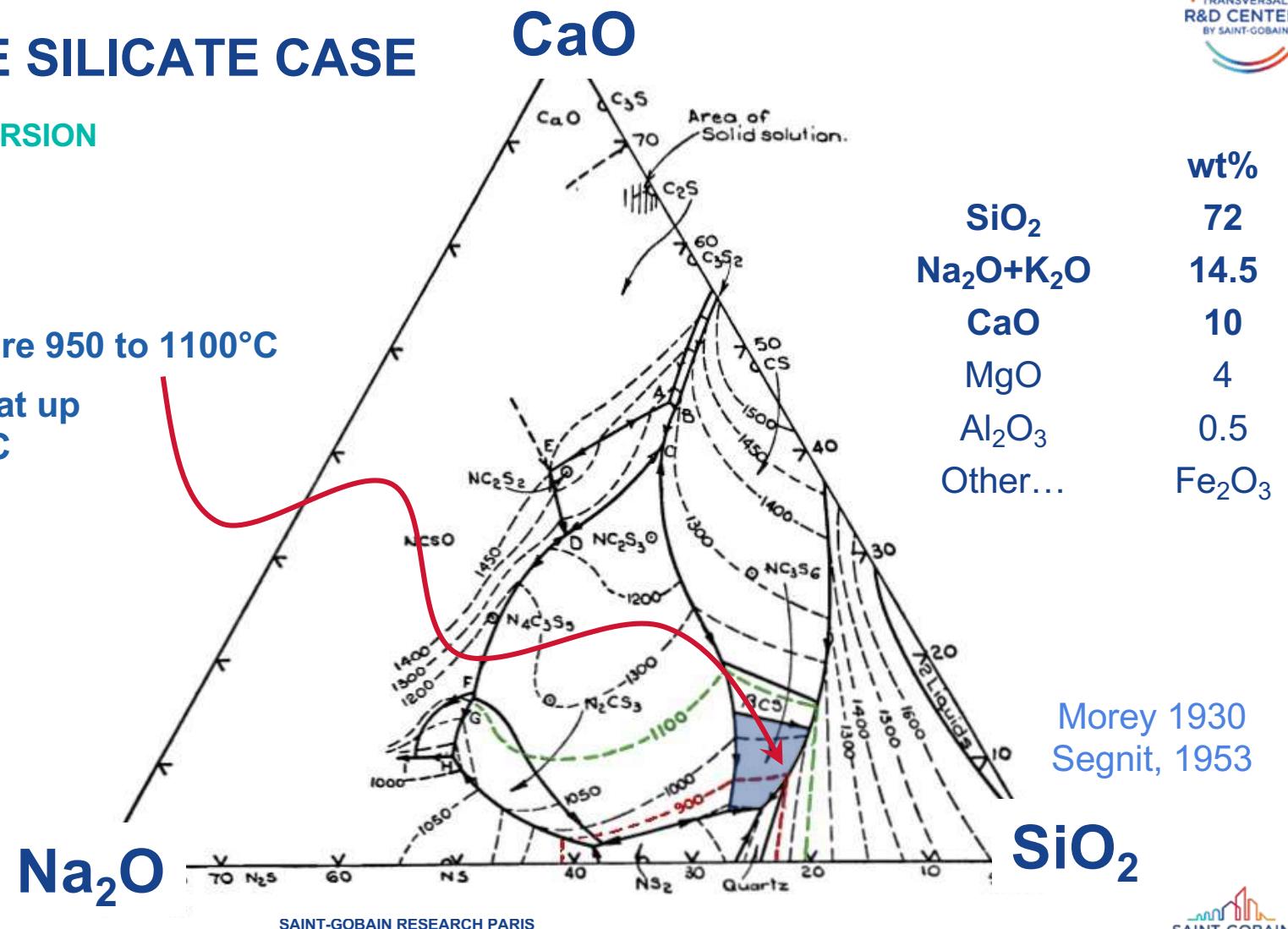
→ Focus on the melting mechanisms (Fining part with the bubbles elimination. See Franck ☺)

THE SODA LIME SILICATE CASE

BATCH TO LIQUID CONVERSION

Liquidus temperature 950 to 1100°C

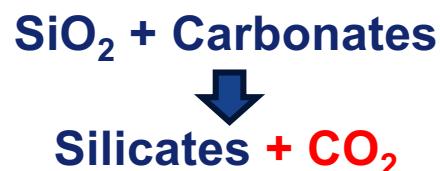
But necessity to heat up
to 1500 - 1600°C



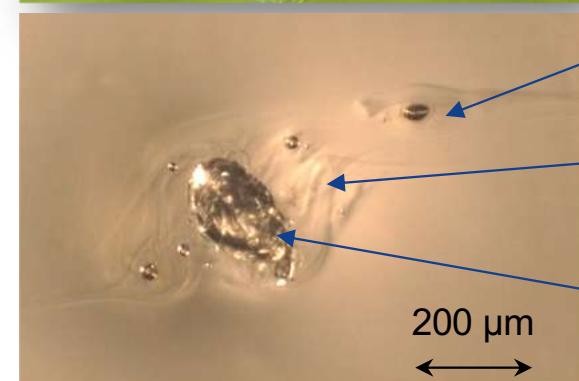
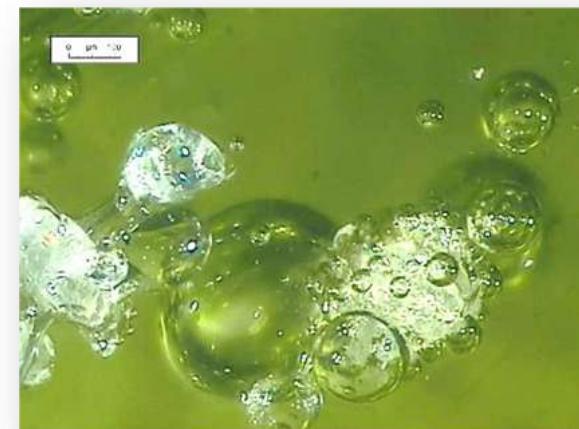
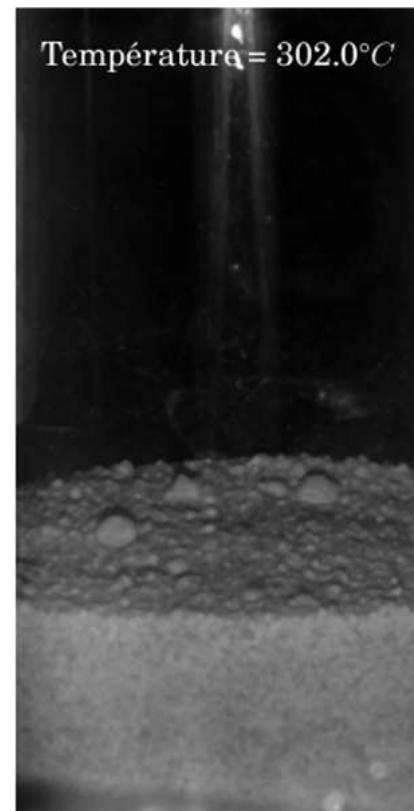
THE SODA LIME SILICATE CASE

BATCH TO LIQUID CONVERSION

Batch « melting »
a chemical reaction
and not a purely physical process
such as the term « melting »
could make one believe



Window glass video
70g batch
J. Meulemans & E. Janiaud Courtesy

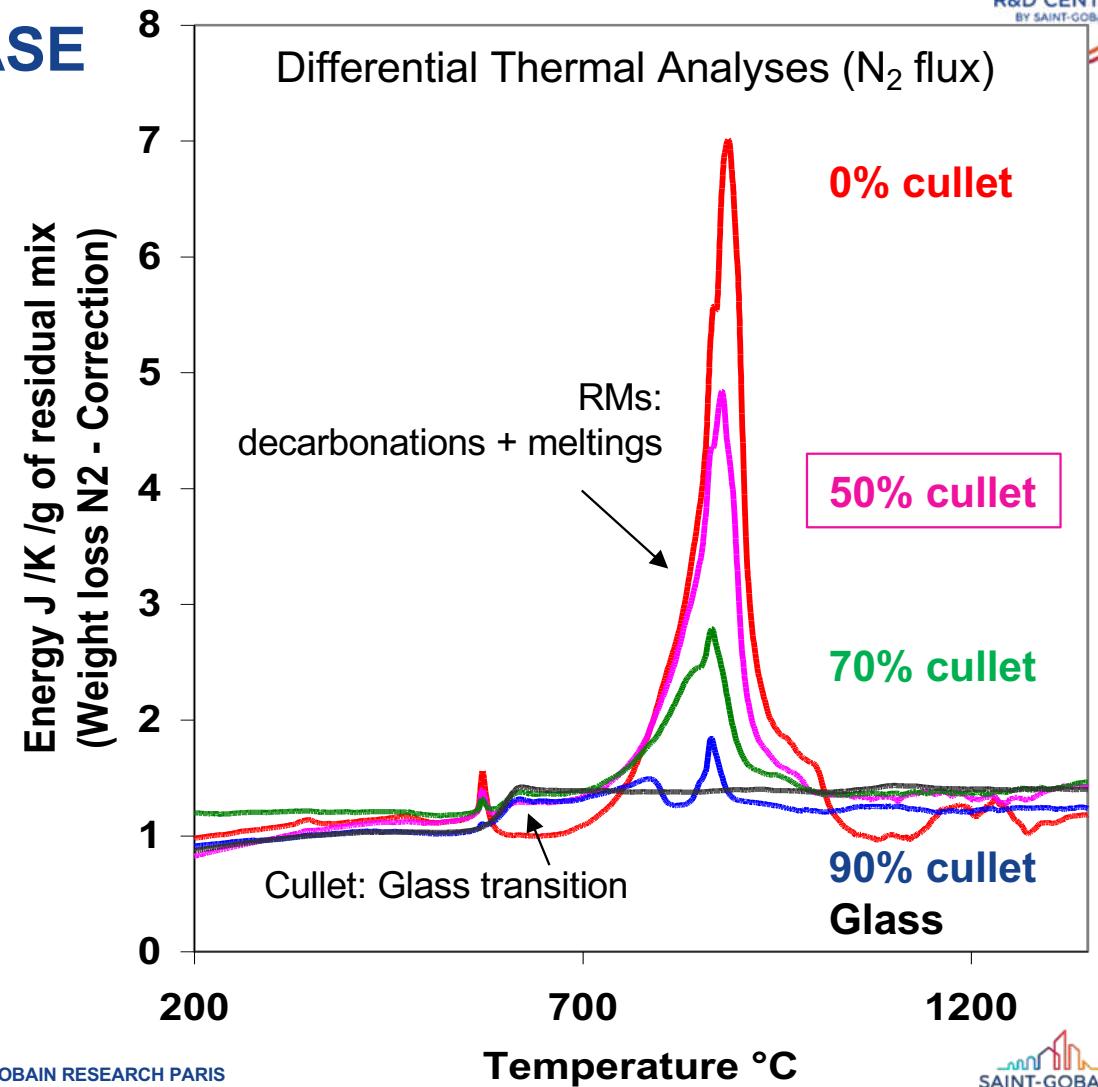
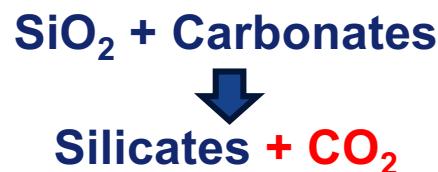


Bubble
 Chemical
 heterogeneity
 Unmelted sand
 grain

THE SODA LIME SILICATE CASE

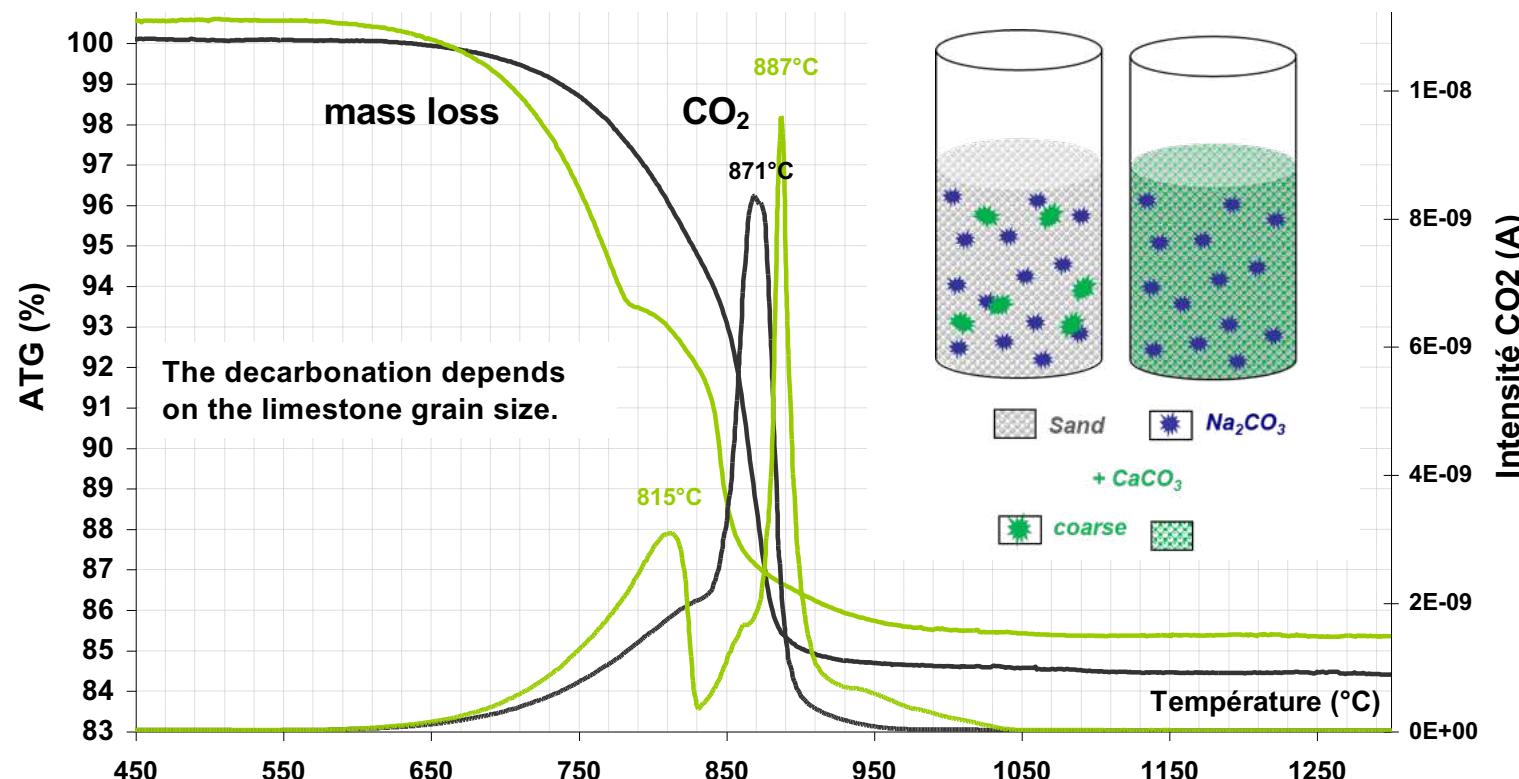
BATCH TO LIQUID CONVERSION

Batch « melting »
a chemical reaction
and not a purely physical process
such as the term « melting »
could make one believe



THE SODA LIME SILICATE CASE

INFLUENCE OF THE LIMESTONE GRAINSIZE



Particle size impacts the melting kinetics.

→ Modification of the nature of the interactions between the materials.

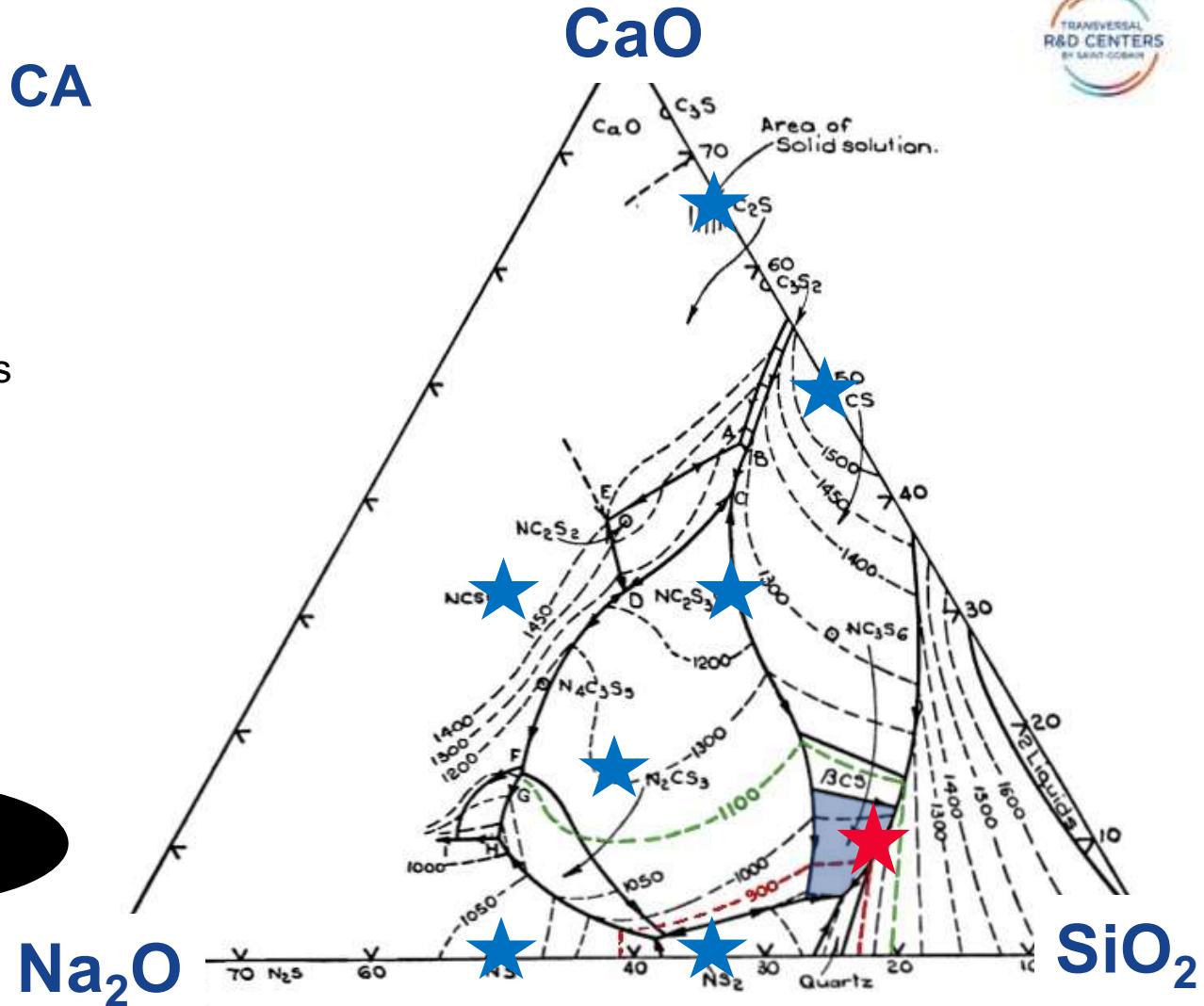
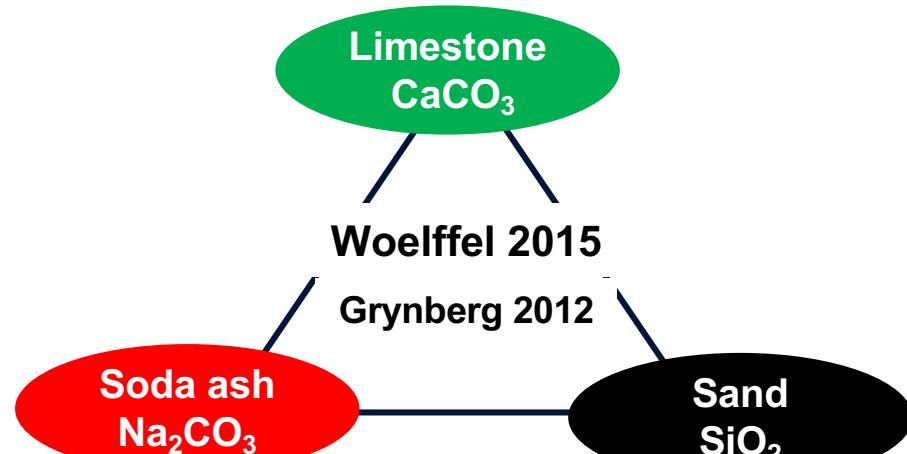
THE SODA LIME SILICATE CERAMIC

TERNARY STUDY

Simplification to the ternary

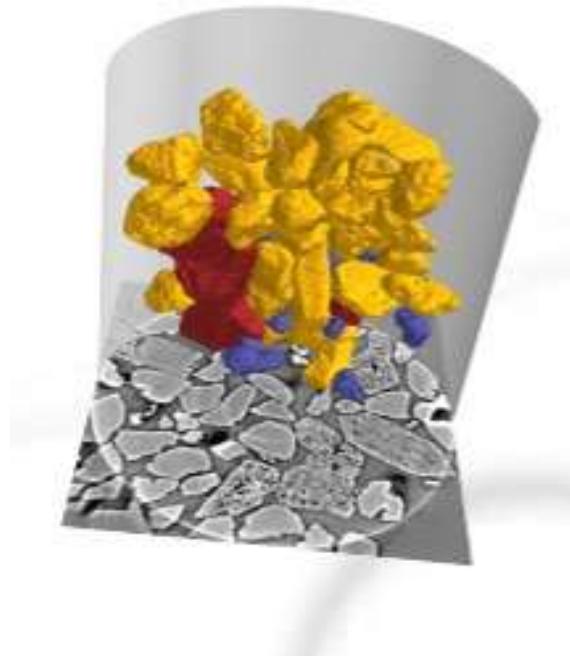
Multiple possible reaction paths

→ Multiple possible intermediate products



THE SODA LIME SILICATE CASE

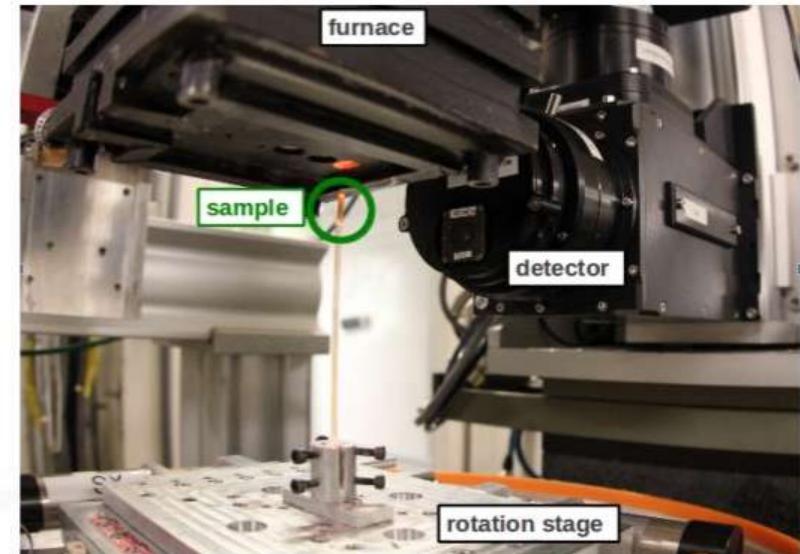
TERNARY STUDY



X-ray Tomography

Homogeneous heating
Image acquisition 1-5s
 $1\mu\text{m}$ pixel

ID19 ESRF beamline
Grenoble
France

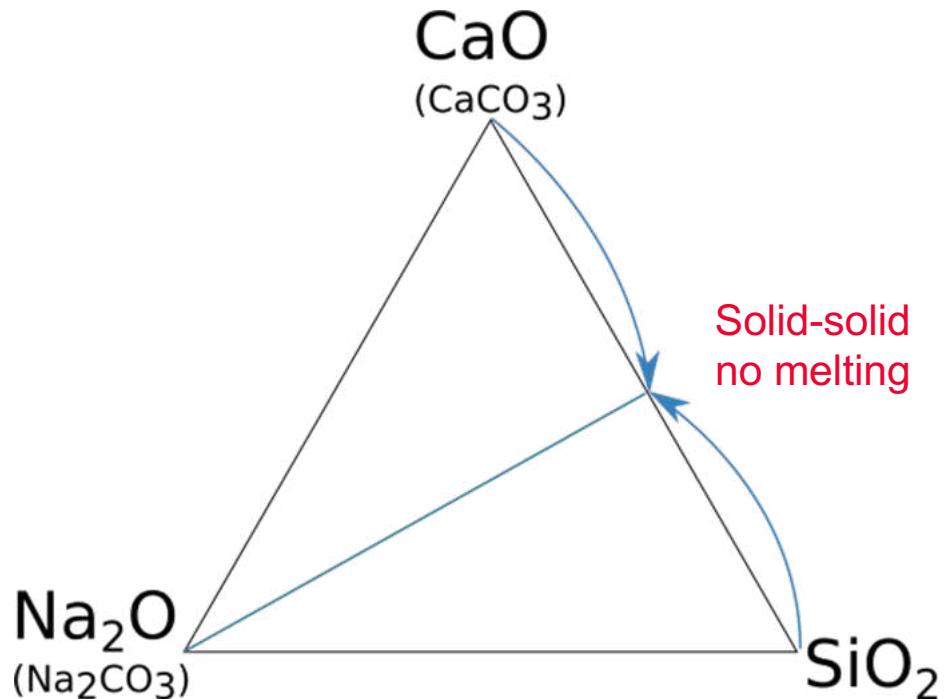


Ecole des Mines furnace
700-1500°C
[Limodin et al., 2009]

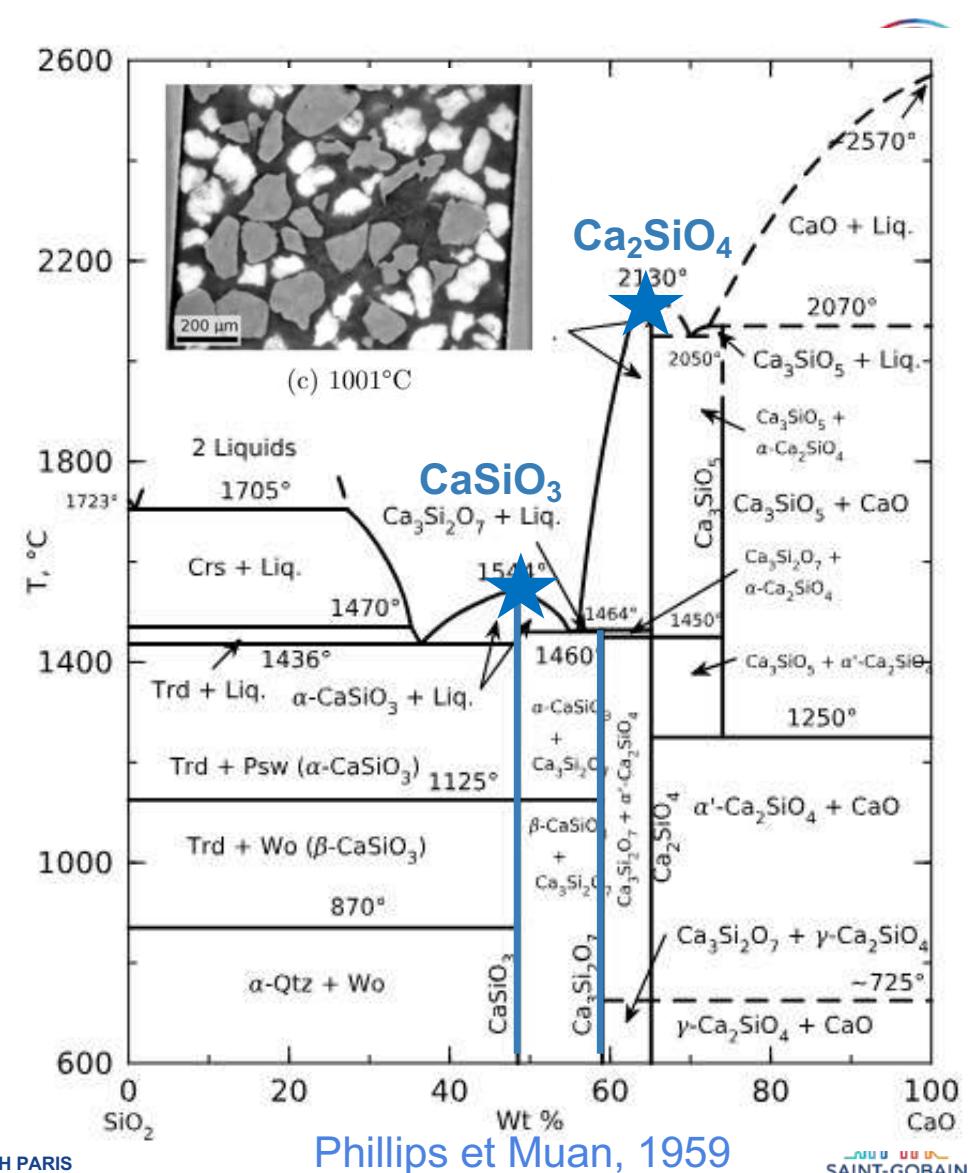
THE SODA LIME SILICATE CASE

TERNARY STUDY

[1] $(\text{SiO}_2\text{-CaO}) + \text{Na}_2\text{CO}_3$: the impossible path



Wilburn, F.W., et C.V. Thomasson. *Physics and Chemistry of Glasses* 2, n° 4 (août 1961): 126-31.

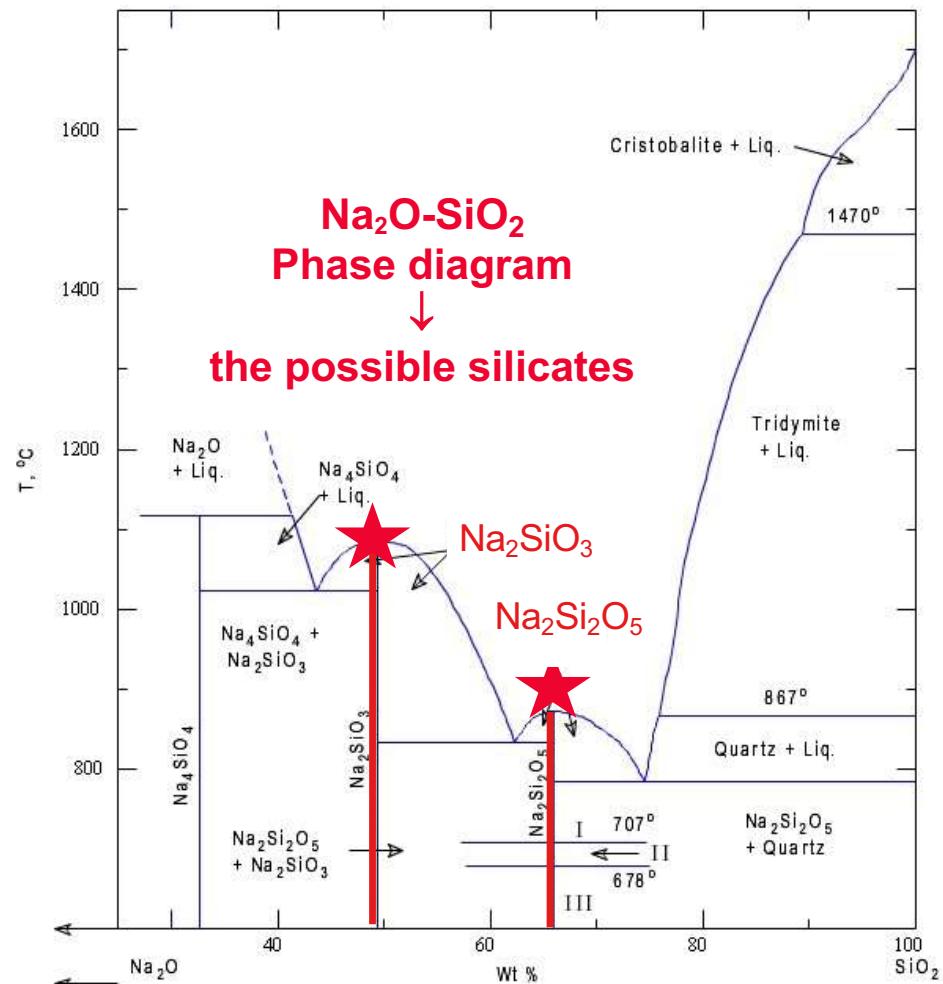
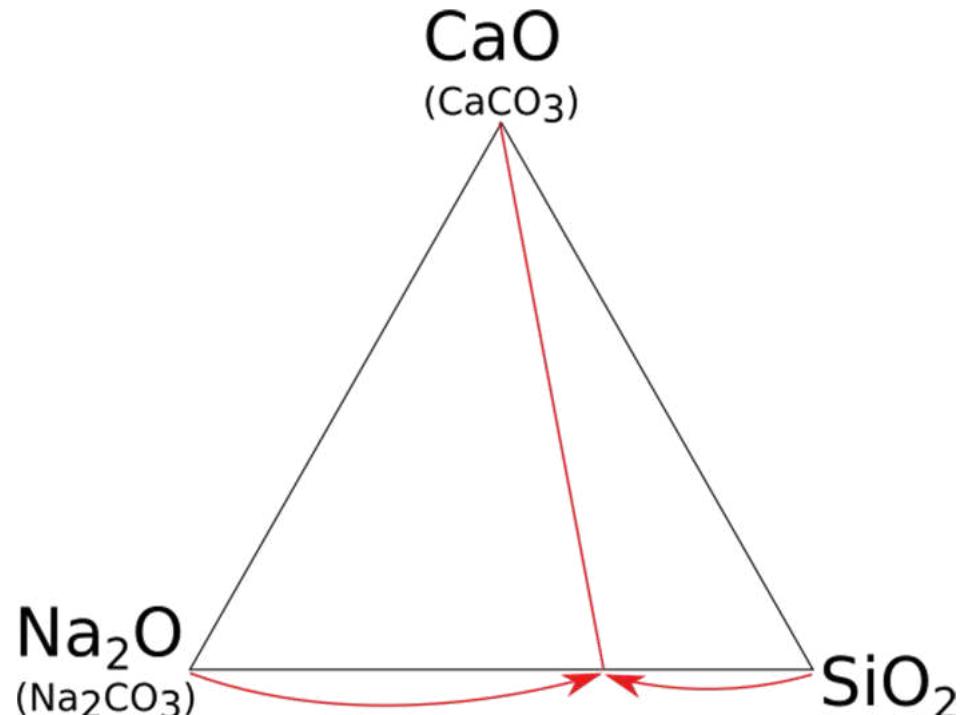


Phillips et Muan, 1959

THE SODA LIME SILICATE CASE

TERNARY STUDY

[2] Sodium silicate path: $(\text{Na}_2\text{CO}_3 - \text{SiO}_2) + \text{Ca-carriers}$

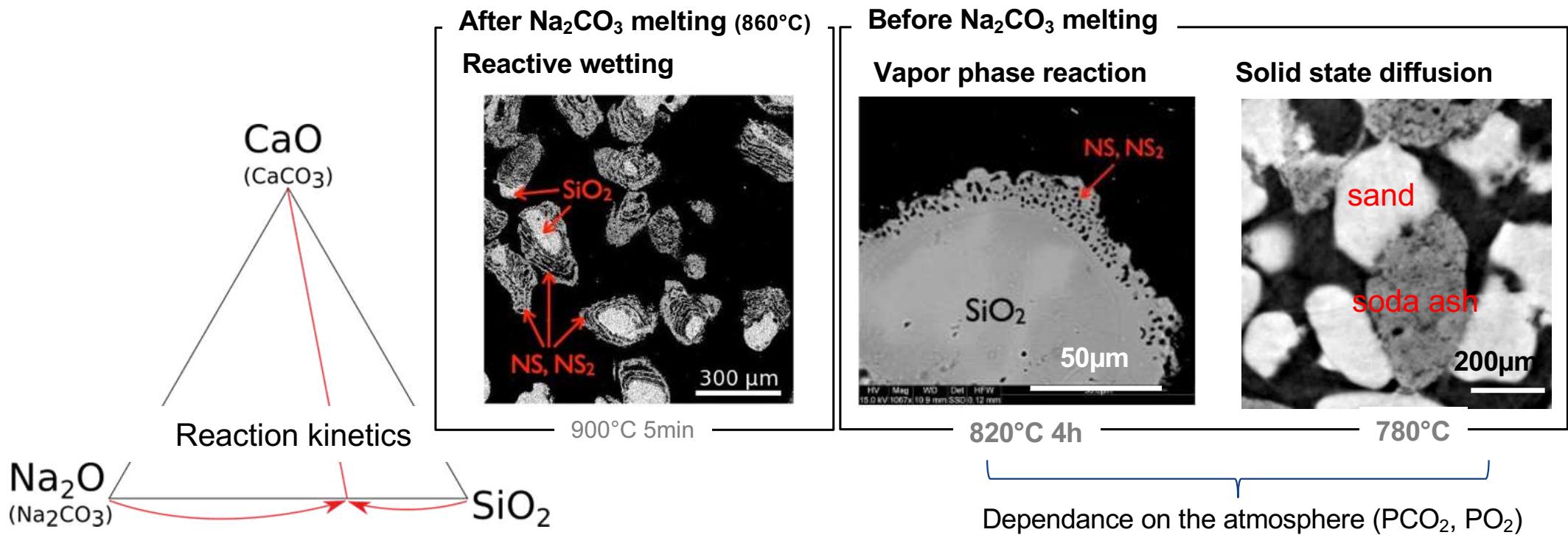


[Kracek 1939]

THE SODA LIME SILICATE CASE

TERNARY STUDY

[2] Sodium silicate path: $(\text{Na}_2\text{CO}_3 - \text{SiO}_2) + \text{Ca-carriers}$



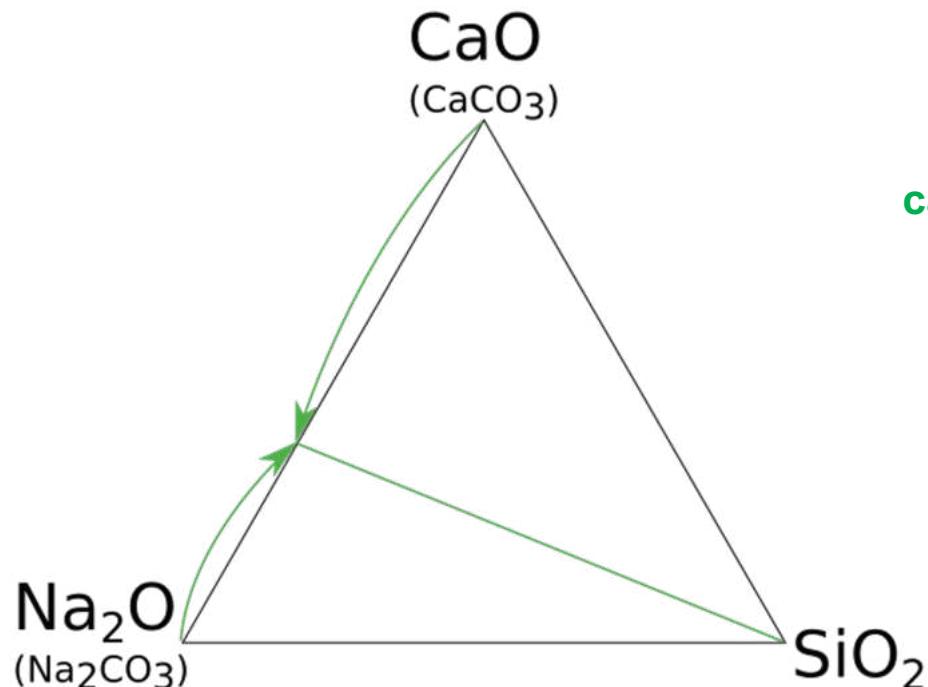
[Grynberg et al., 2015] IJAGS, [Gouillart et al., 2012] JACerS

SAINT-GOBAIN RESEARCH PARIS

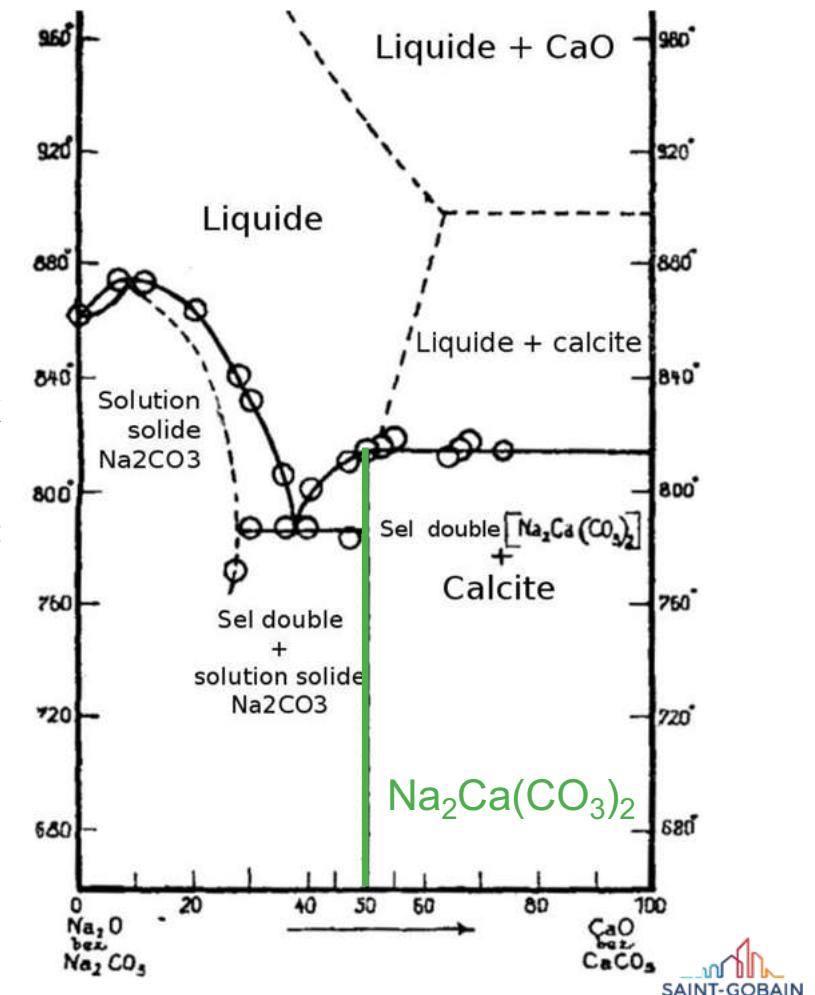
THE SODA LIME SILICATE CASE

TERNARY STUDY

[3] The mix carbonate path: $(\text{Na}_2\text{CO}_3 \cdot \text{CaCO}_3) + \text{SiO}_2$



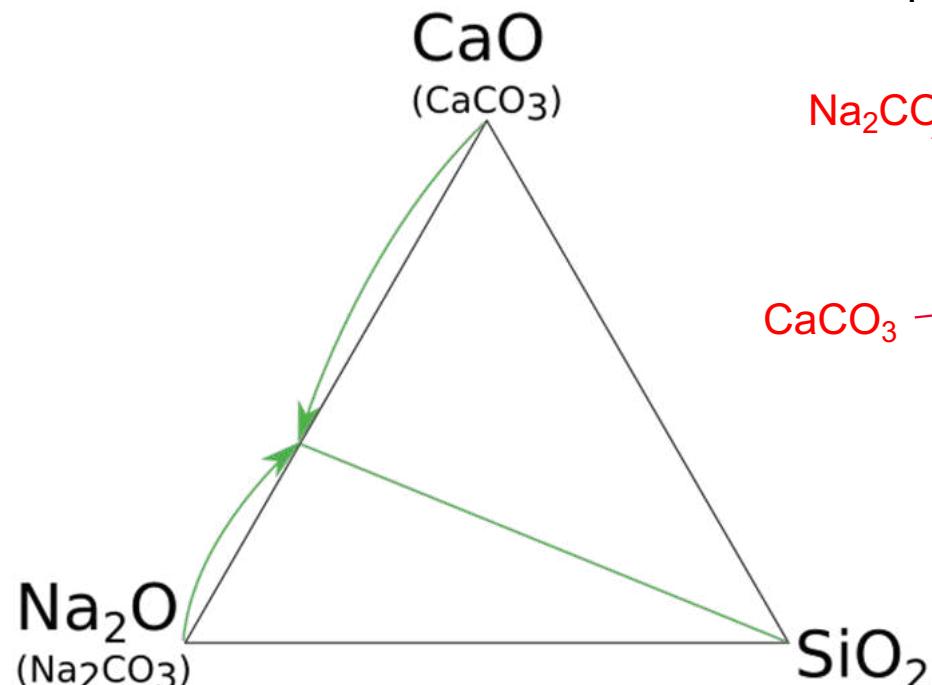
Contact between
carbonates → mix
carbonates
Even without CO_2



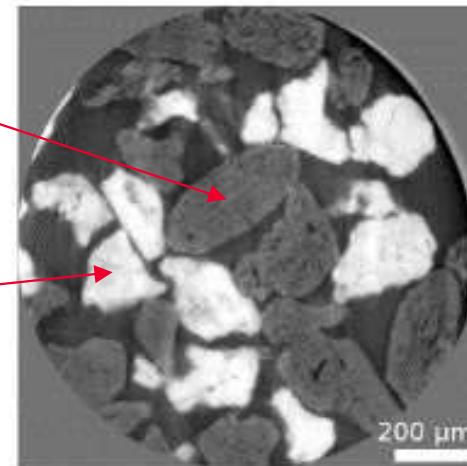
THE SODA LIME SILICATE CASE

TERNARY STUDY

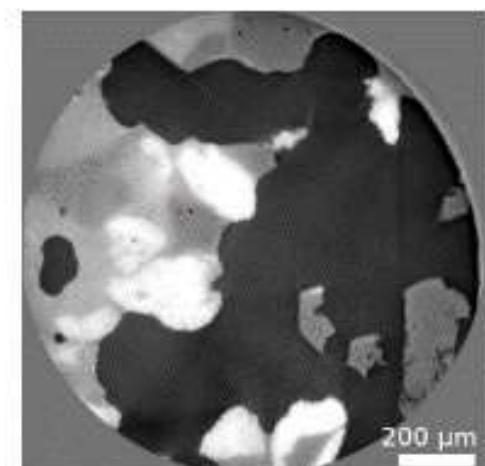
[3] The mix carbonate path: $(\text{Na}_2\text{CO}_3 \cdot \text{CaCO}_3) + \text{SiO}_2$



Formation of double carbonate is possible, with sufficient PCO₂



Room temperature

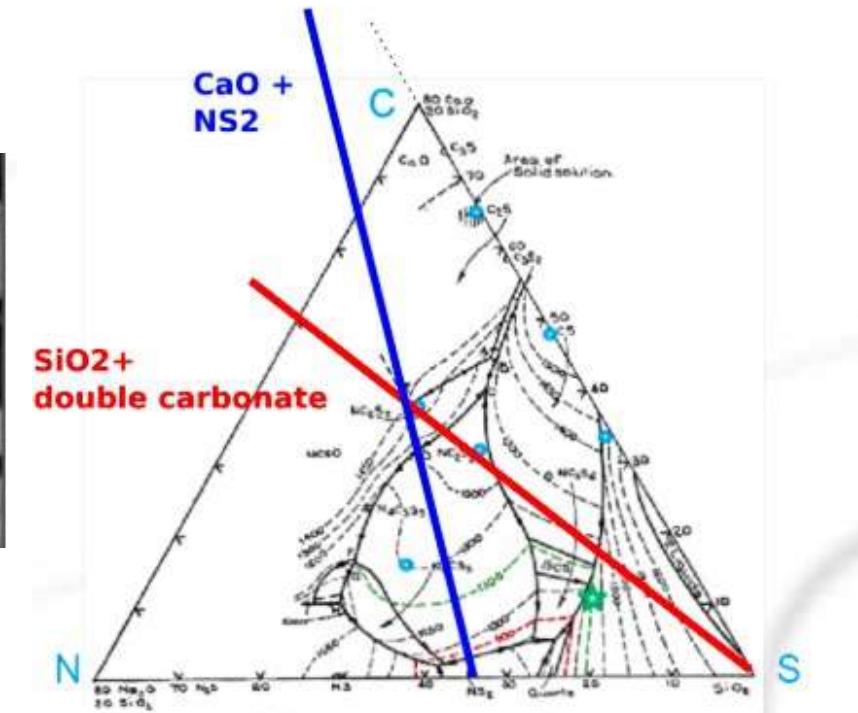
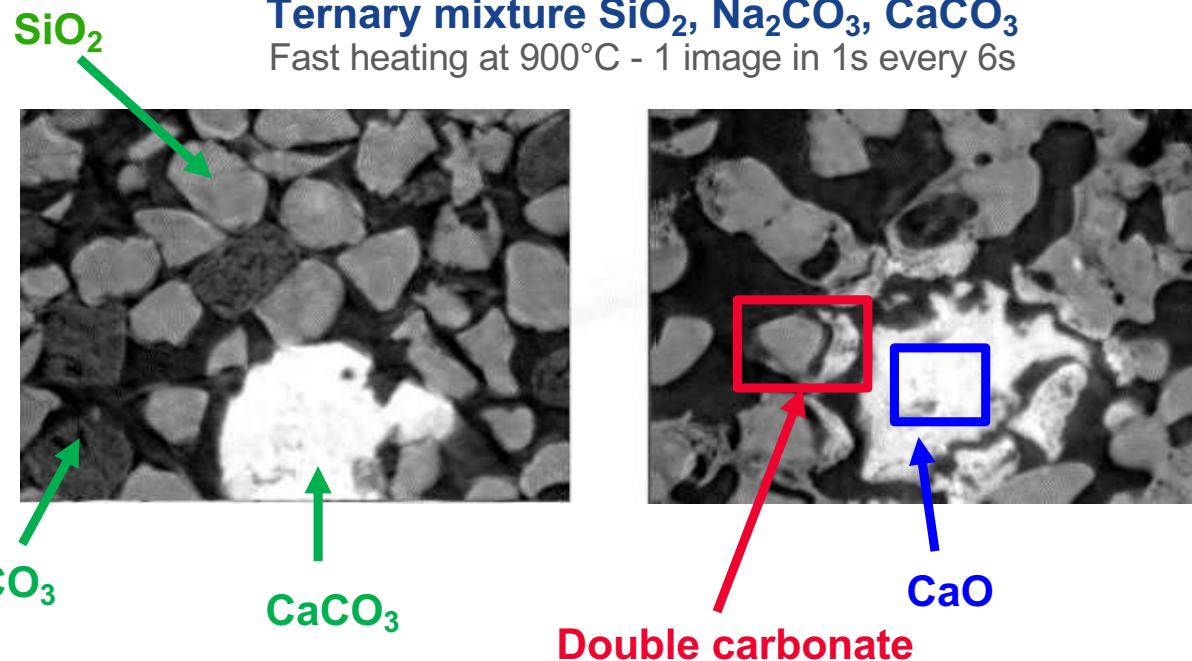


800°C

[Woelffel 2015]

THE SODA LIME SILICATE CASE

HOW THE FINAL QUALITY IS LINKED TO THE REACTION PATHS

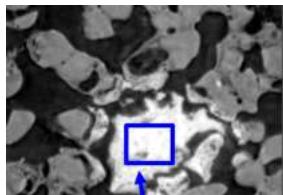


[Woelffel 2015]

Boundary : formation of double carbonate \longleftrightarrow Core : formation of CaO

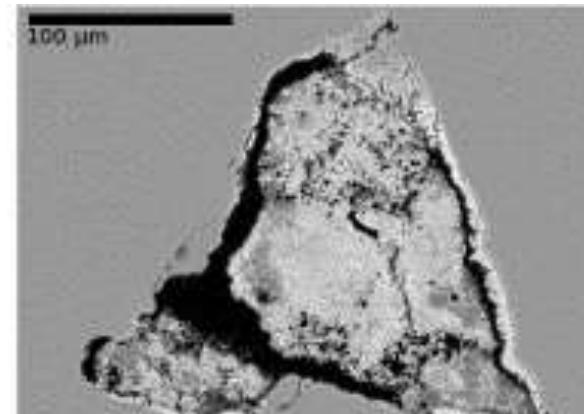
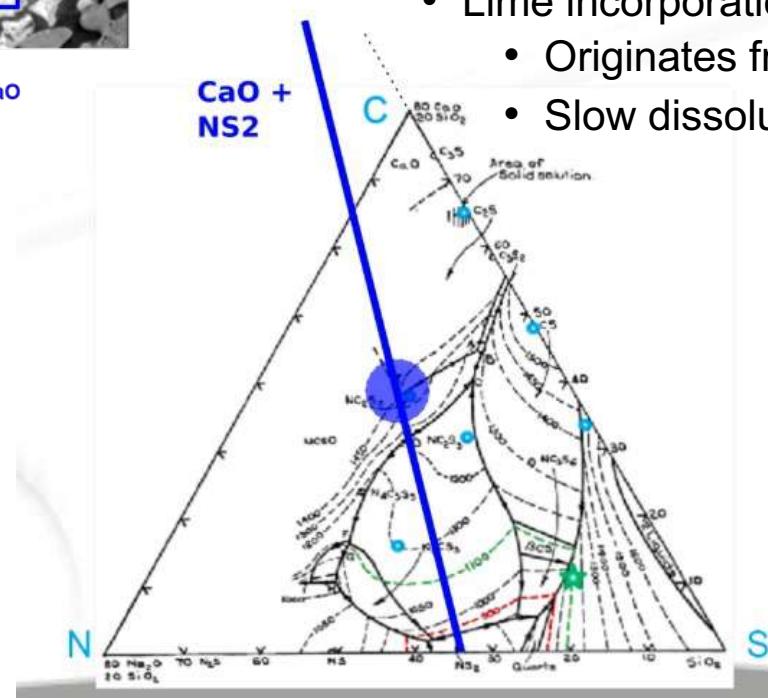
THE SODA LIME SILICATE CASE

HOW THE FINAL QUALITY IS LINKED TO THE REACTION PATHS

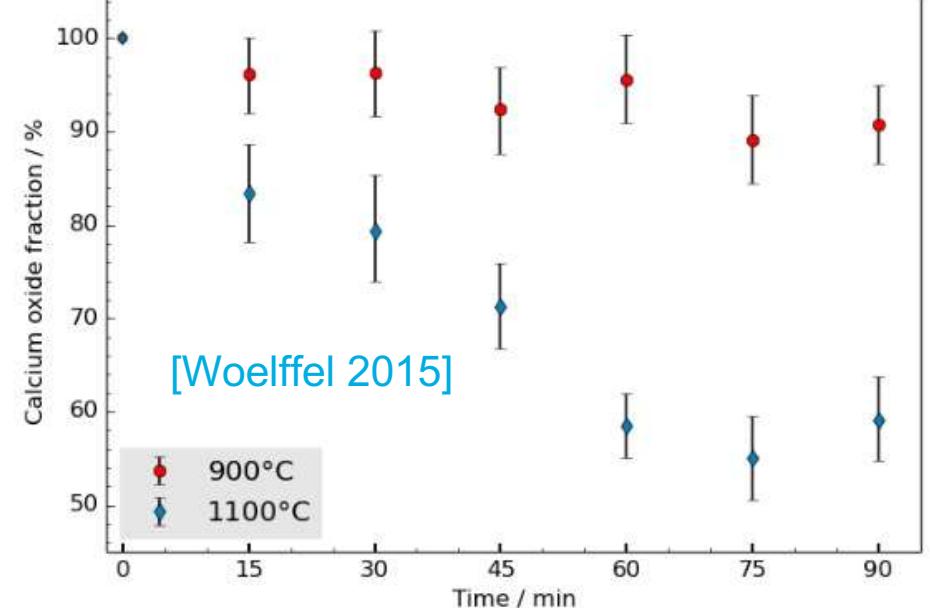


Core of CaO stays **unreacted** for a long time
→ Delay in the formation of molten silicates

- Lime incorporation is slow
 - Originates from dewetting
 - Slow dissolution



Lime dissolution in NS₂ glass



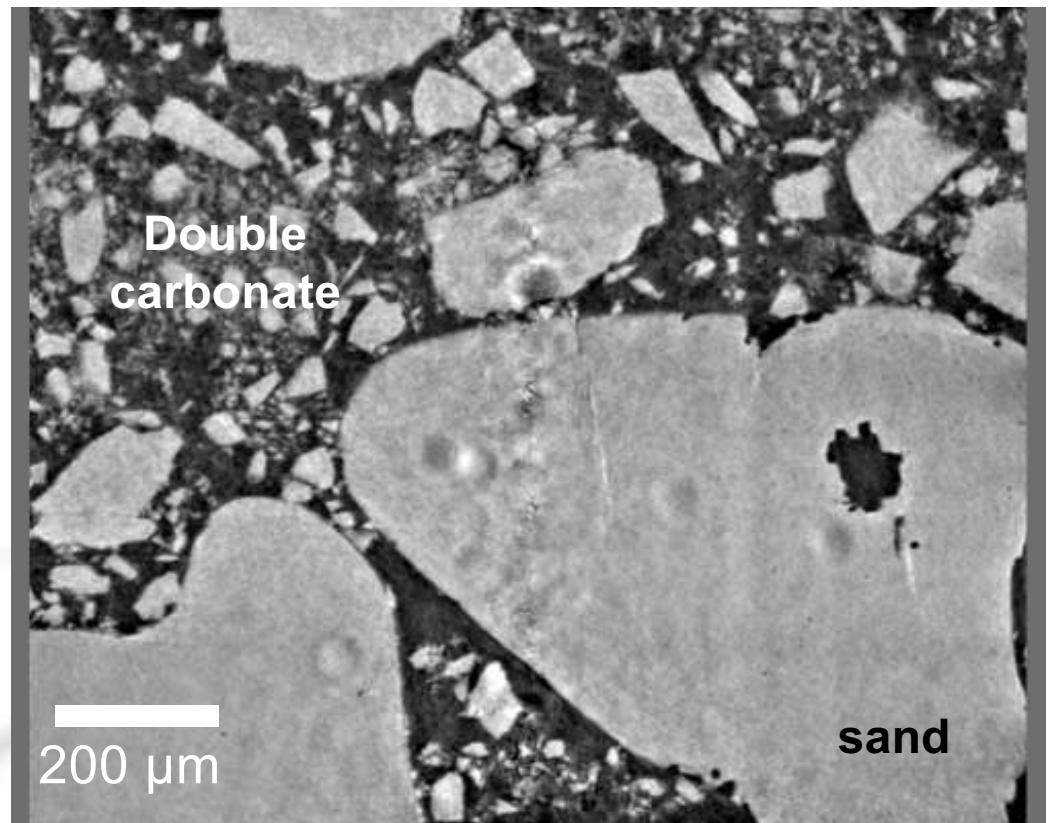
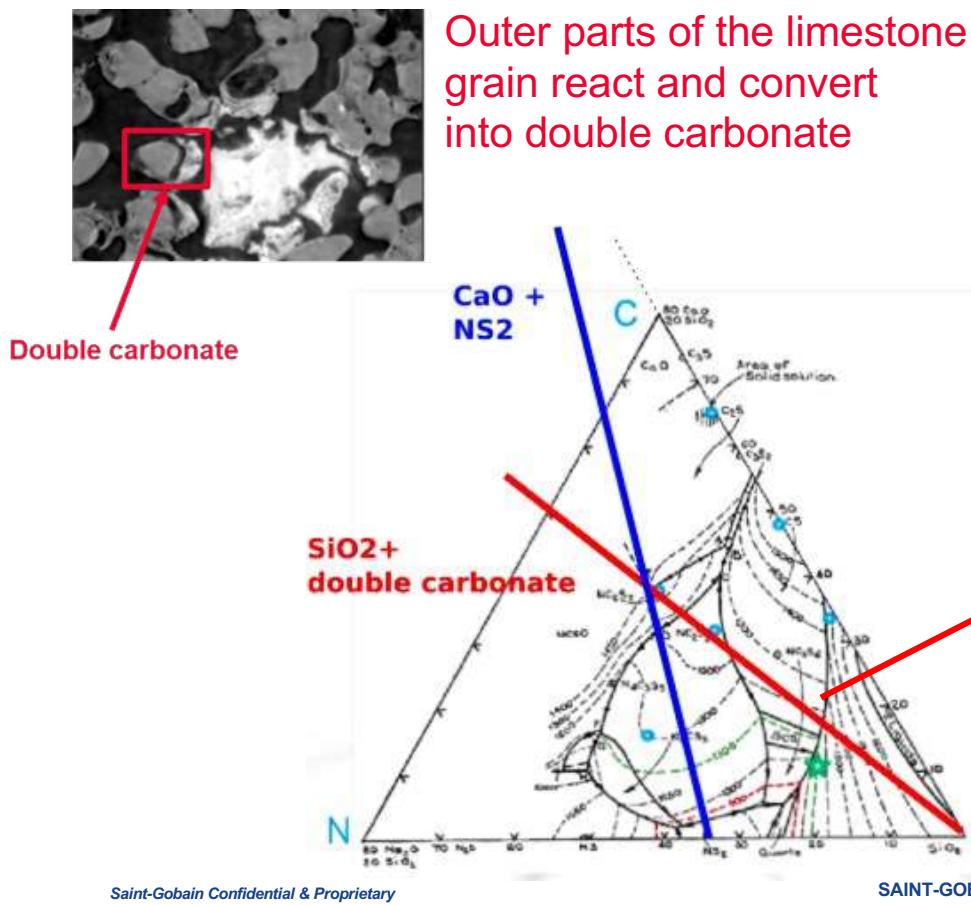


SAINT-GOBAIN

THE SODA LIME SILICATE CASE

HOW THE FINAL QUALITY IS LINKED TO THE REACTION PATHS

[Woelffel 2015]

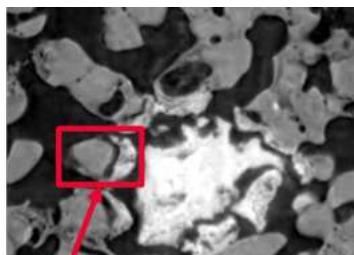


Sand + Eutectic mixte carbonate
Heating under CO₂ flux

THE SODA LIME SILICATE CASE

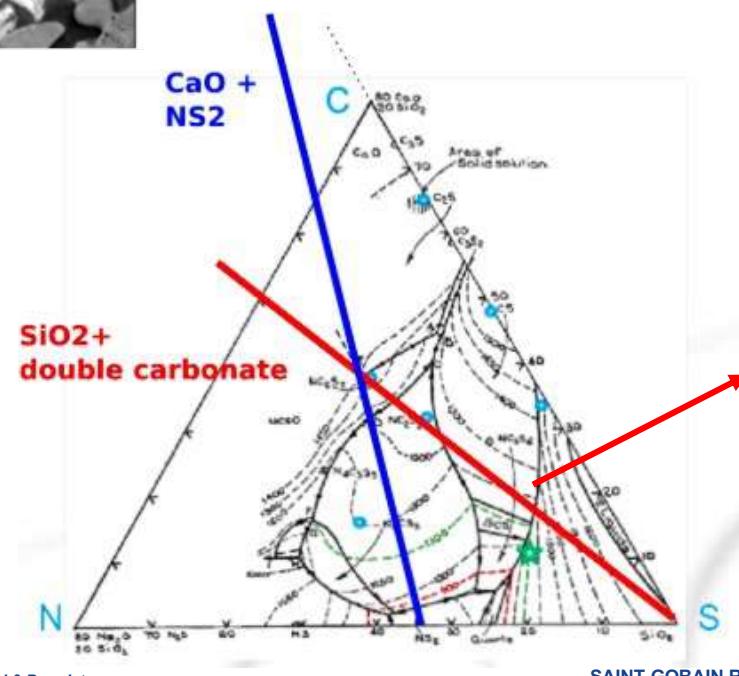
HOW THE FINAL QUALITY IS LINKED TO THE REACTION PATHS

[Woelffel 2015]



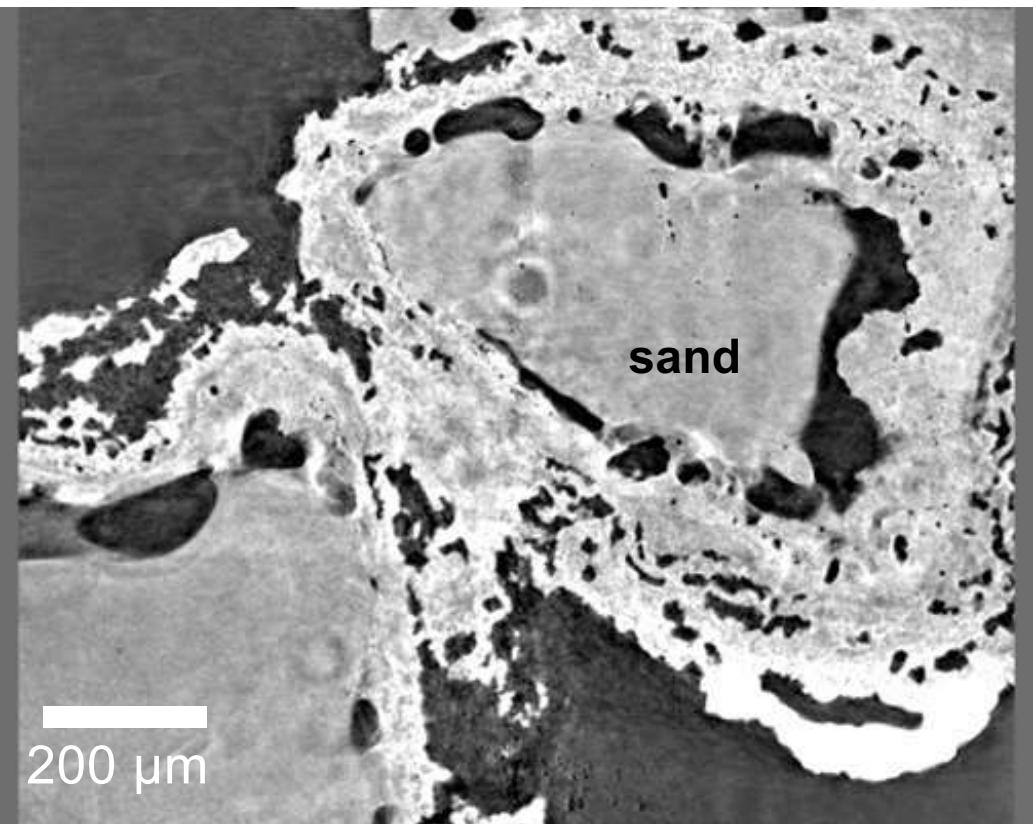
Outer parts of the limestone grain react and convert into double carbonate

Double carbonate



Saint-Gobain Confidential & Proprietary

SAINT-GOBAIN RESEARCH PARIS



$$850^\circ\text{C} \text{ Na}_2\text{Si}_2\text{O}_5 \text{ (s)} \rightarrow \text{Na}_2\text{Si}_2\text{O}_5 \text{ (l)}$$

THE SODA LIME SILICATE CASE

KEY MESSAGES

Study at granular scale reveals complex physicochemical mechanisms

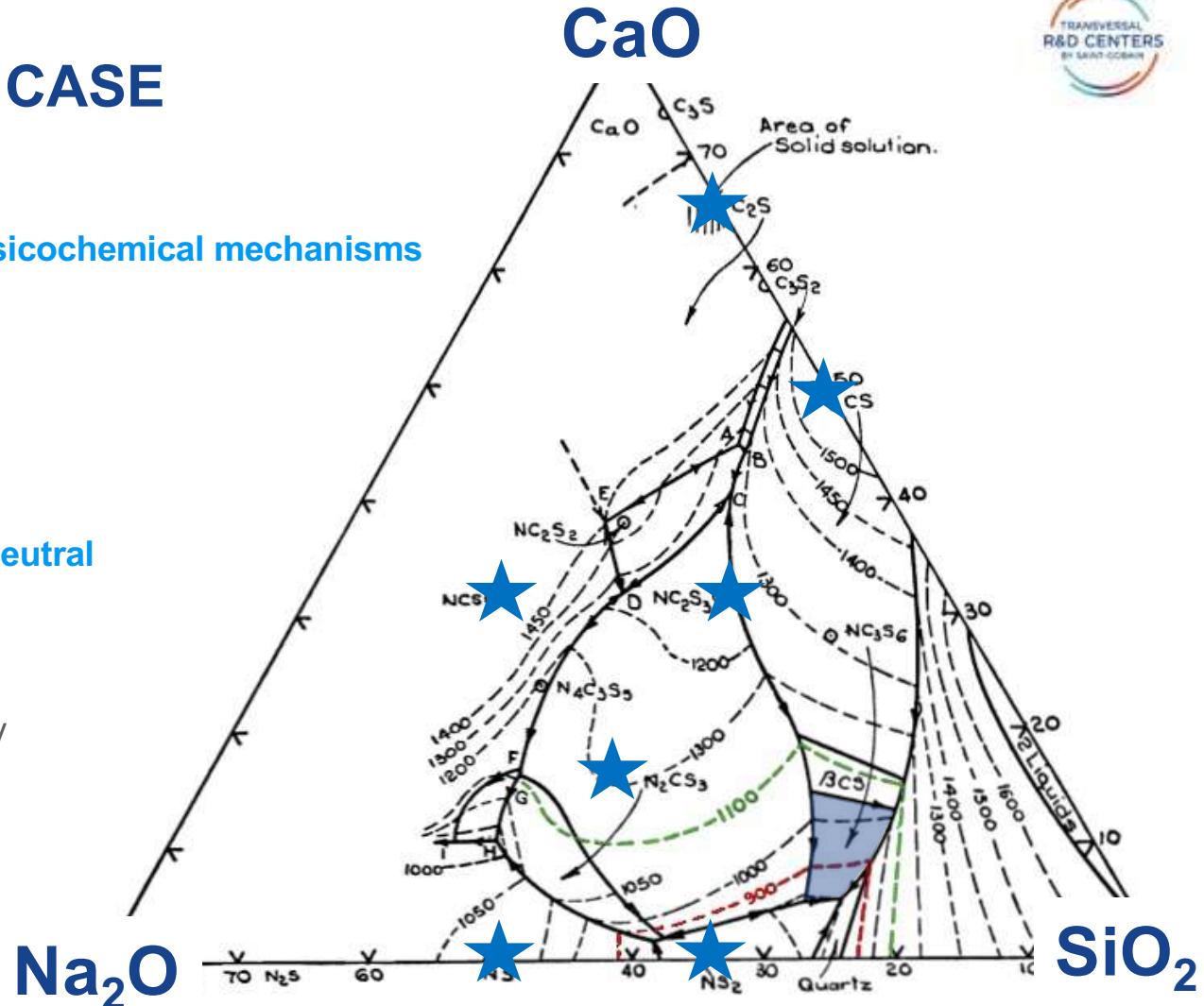
which allow integrating ± silica and limestone
depending on the intermediate products

Events occurring at low temperature are not neutral

Important to favour the paths incorporating

- $\text{SiO}_2 \rightarrow$ less grains to be digested
- $\text{CaO} \rightarrow$ to avoid risk for heterogeneity

= Privilege the mixte carbonate path



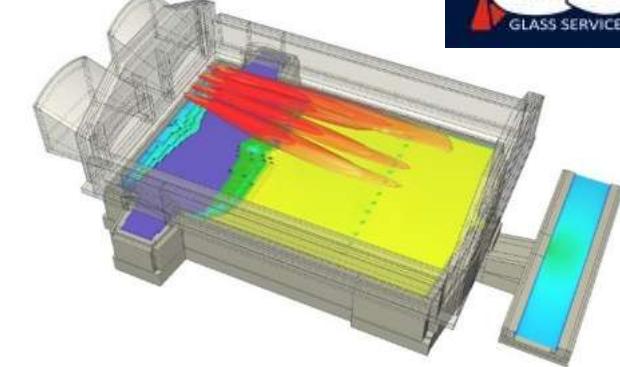
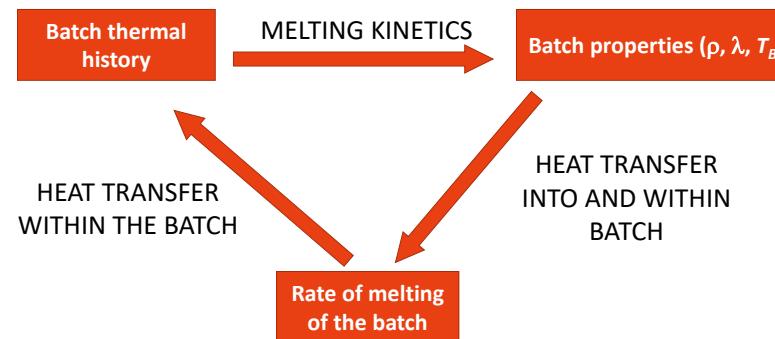
O2

Modeling of batch melting

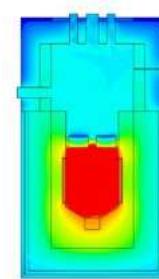
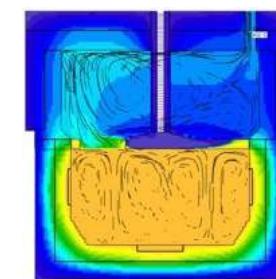
From the micro-scale to the macro-scale...

Mathematical models of batch melting

- ▶ Today, practically all new furnaces are developed with the help of mathematical models
- ▶ Detailed batch melting model couples the energy and mass balances with equations describing the conversion kinetics



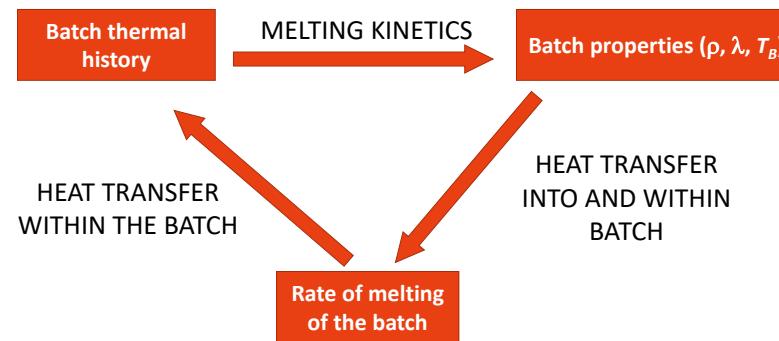
Regenerative end-port furnace for producing container glass



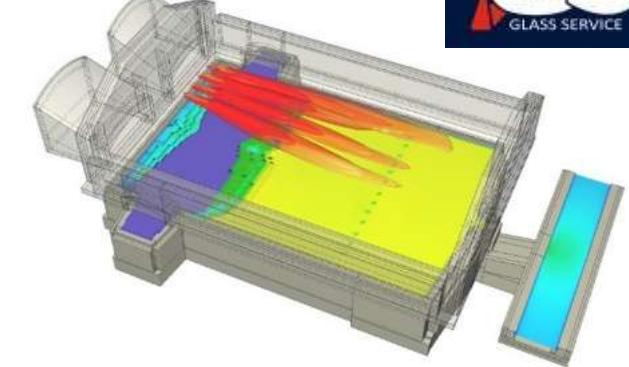
Abboud, A. W., Guillen, D. P., & Pokorny, R. (2020). Effect of cold cap coverage and emissivity on the plenum temperature in a pilot-scale waste vitrification melter. *International Journal of Applied Glass Science*, 11(2), 357–368.

Mathematical models of batch melting

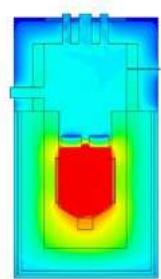
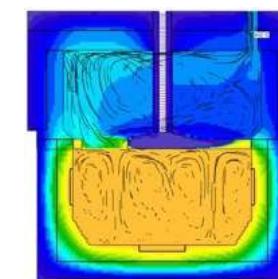
- ▶ Today, practically all new furnaces are developed with the help of mathematical models
- ▶ Detailed batch melting model couples the energy and mass balances with equations describing the conversion kinetics



- ▶ While the general governing equations for the heat transfer and for the conversion kinetics are reasonably well understood, they are rarely coupled together
 - Without considering the batch thermal history, batch models are applicable only in a narrow range of conditions



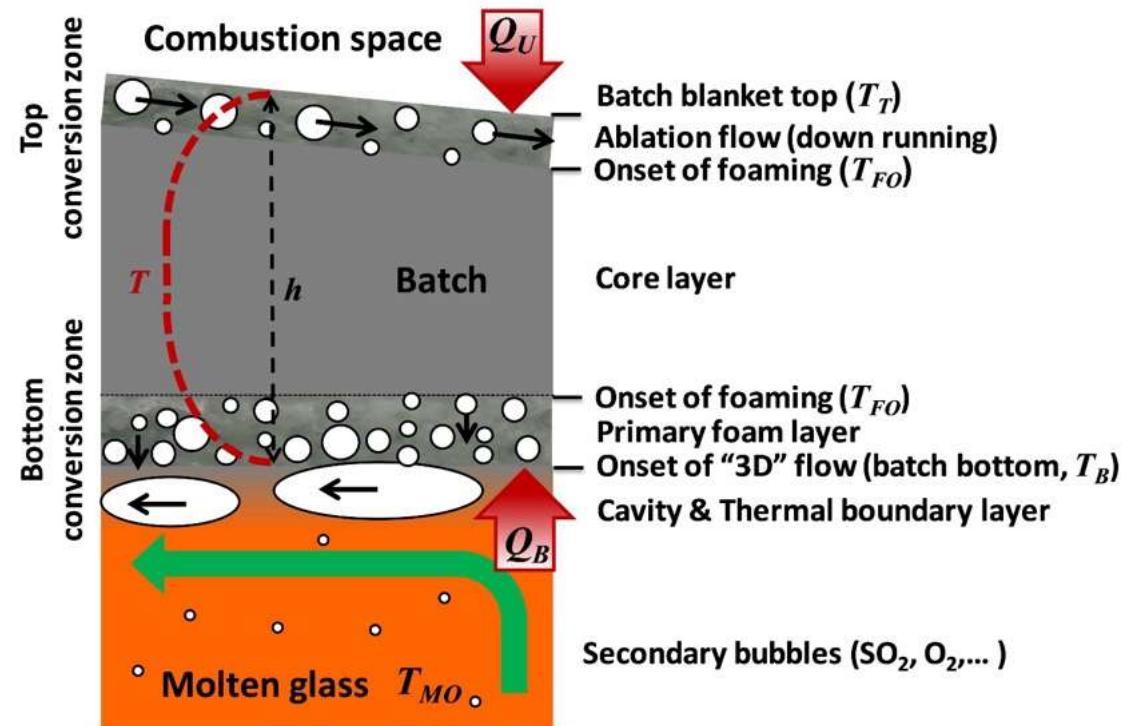
Regenerative end-port furnace for producing container glass



Abboud, A. W., Guillen, D. P., & Pokorny, R. (2020). Effect of cold cap coverage and emissivity on the plenum temperature in a pilot-scale waste vitrification melter. *International Journal of Applied Glass Science*, 11(2), 357–368.

Analysis of kinetics of melting

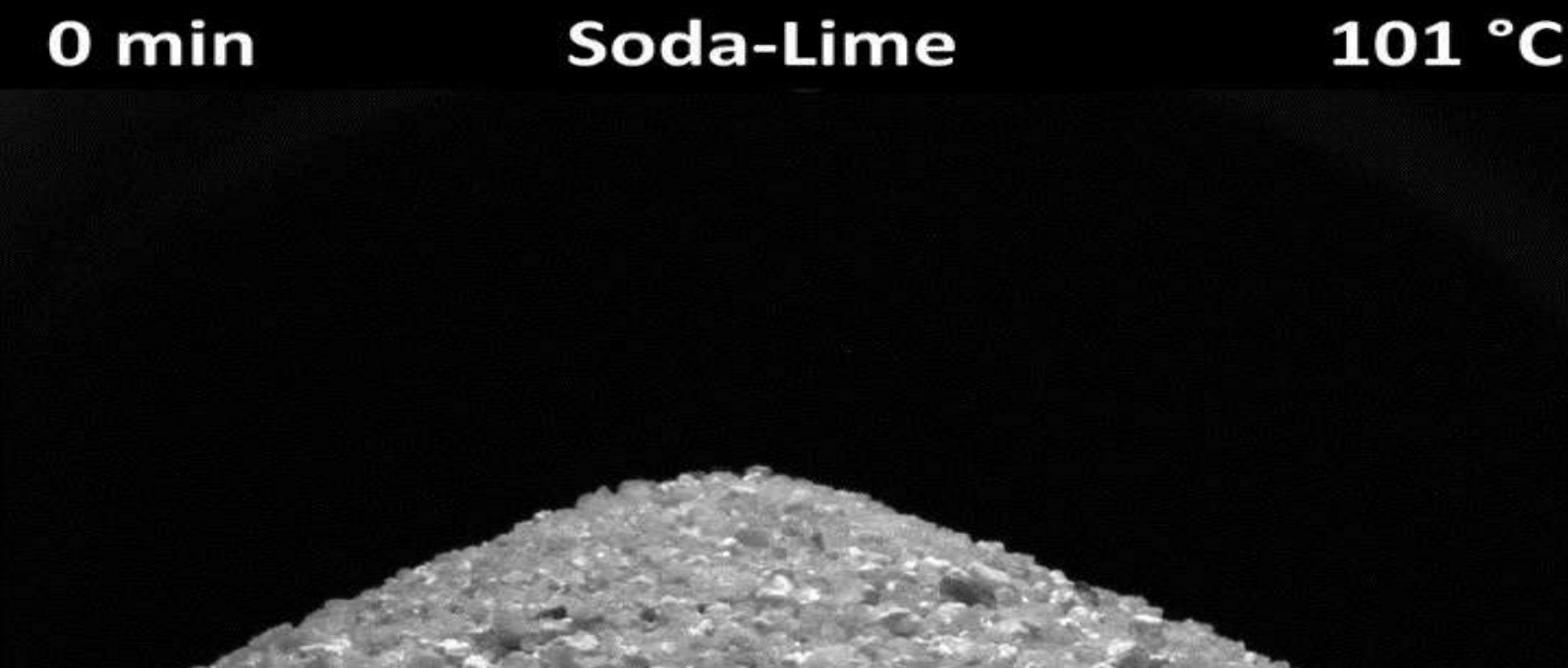
- ▶ Processes occurring during batch melting are numerous and complex
 - Batch reactions leading to the production of glass-forming melt
 - Evolution of primary foam, its growth and collapse
 - Dissolution of solid particles (silica)
- ▶ Measure the kinetics of silica dissolution (XRD), gas evolution (TGA & EGA), and foam formation (FET & EGA)
- ▶ Estimate the effect of the conversion kinetics on the rate of melting



0 min

Soda-Lime

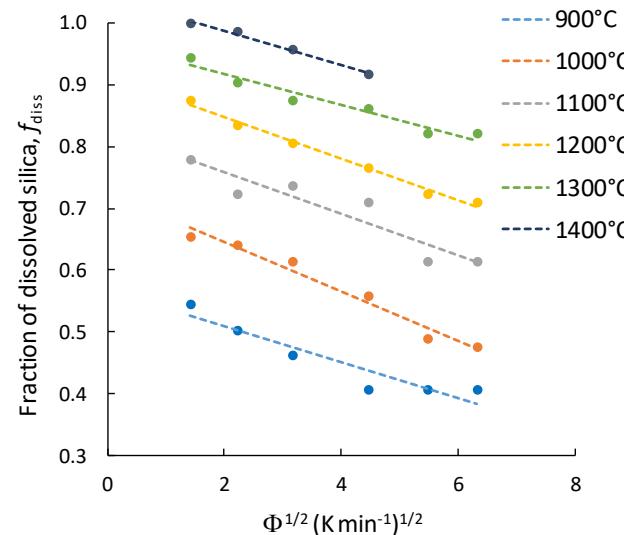
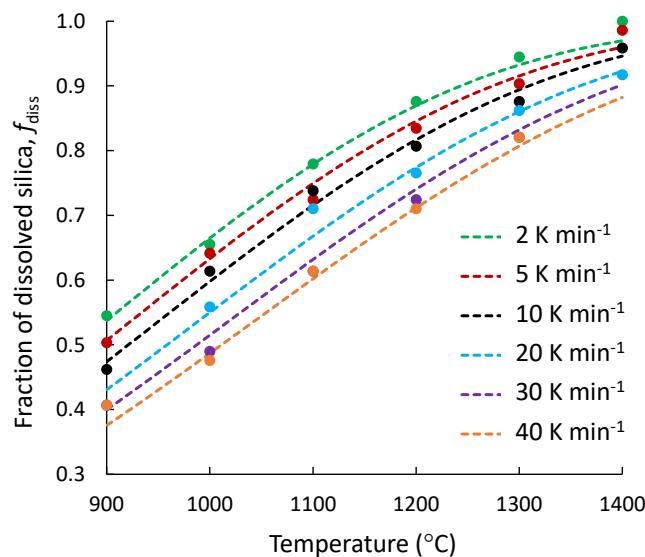
101 °C



KINETIC STUDIES – RESULTS

Dissolution of silica (XRD) – Container glass

- Fraction of silica dissolved, f_{diss} , shifts to higher temperatures in response to faster heating
 - At a constant temperature, f_{diss} depends almost linearly on the square root of heating rate



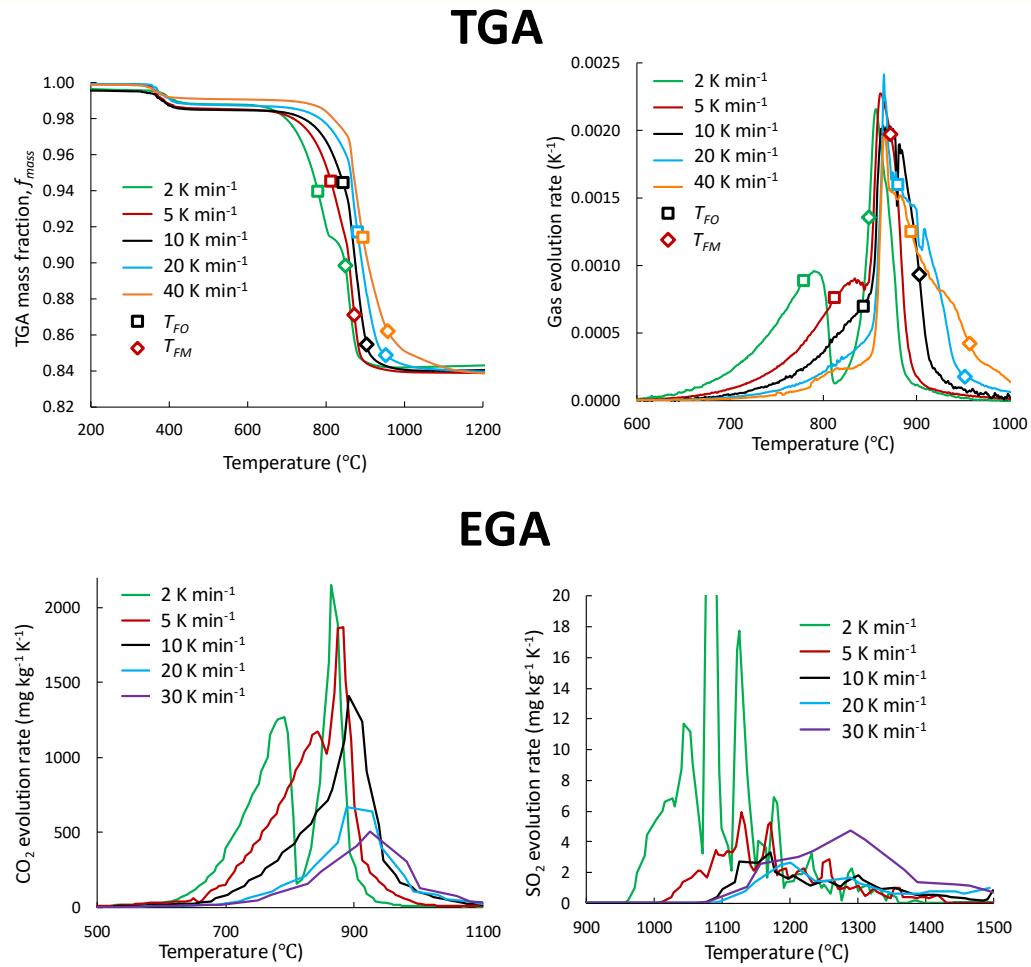
Composition	
Sand	62.00
feldspar	13.49
Limestone	20.33
Soda ash	21.84
Na_2SO_4	0.391
Carbon	0.04
Total (g)	117.89

$$f_{diss} = 1 - \exp \left[- \left(\frac{T/T_0}{(1 + \sqrt{\Phi/\Phi_f})} \right)^{p_1} \right]$$

T Temperature
 Φ Heating rate
 T_0, Φ_f, p Fitting parameters

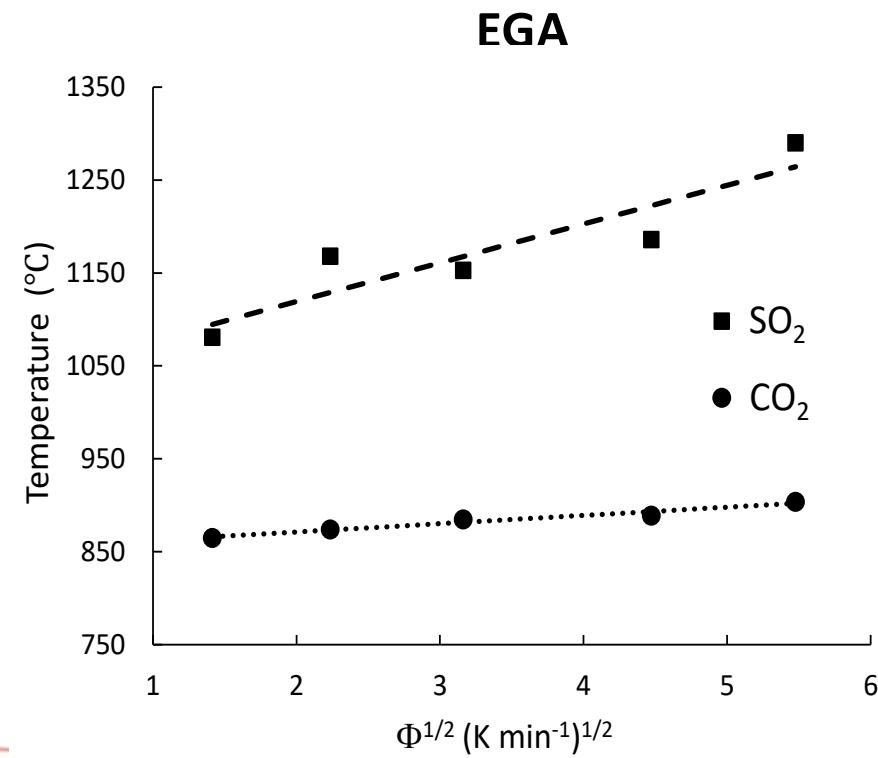
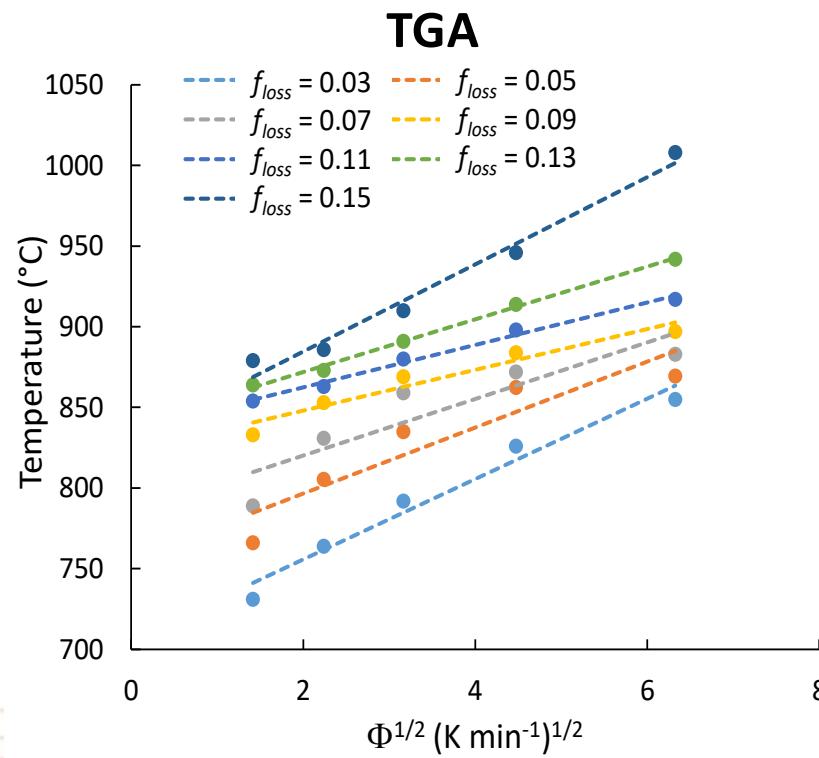
Gas Evolution (TGA and EGA)

- ▶ Limestone decrepitation $\sim 400^\circ\text{C}$
- ▶ CO_2 begins to evolve at $\sim 600^\circ\text{C}$ and continues up to $\sim 1100^\circ\text{C}$
 - Two peaks visible at slower rates – first peak corresponds to decomposition of CaCO_3 and its reaction with solid silica sand, second peak occurs when melting soda considerably accelerates its reaction with silica
 - Decrease between the two peaks caused by the formation of double carbonate
- ▶ SO_2 is produced starting from 1000°C
 - $4\text{CO} + \text{SO}_4^{2-} \rightarrow \text{S}^{2-} + 4\text{CO}_2$
 - $\text{S}^{2-} + 3\text{SO}_4^{2-} \rightarrow 4\text{SO}_2 + 4\text{O}^{2-}$



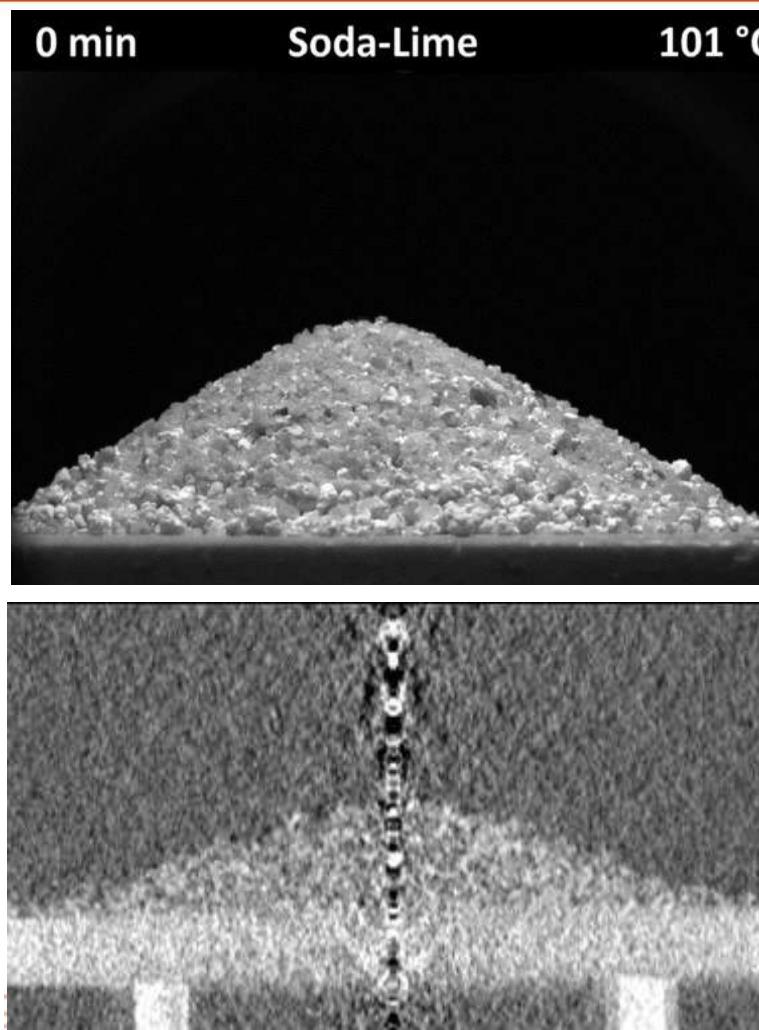
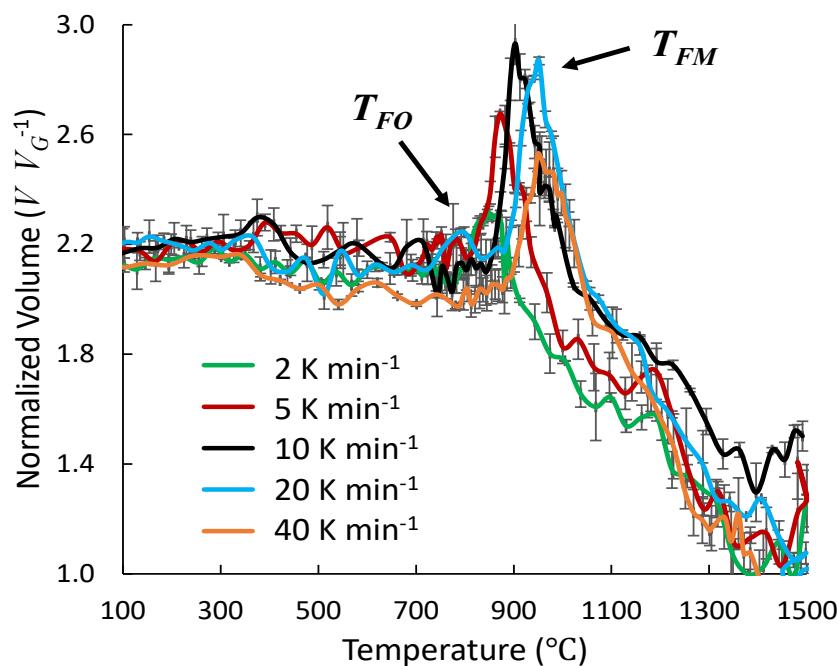
Gas Evolution (TGA and EGA)

- The gas evolving reactions shift to higher temperatures linearly with the square root of the heating rate – this dependence is nearly identical to that of silica dissolution



Volume expansion – Feed expansion test

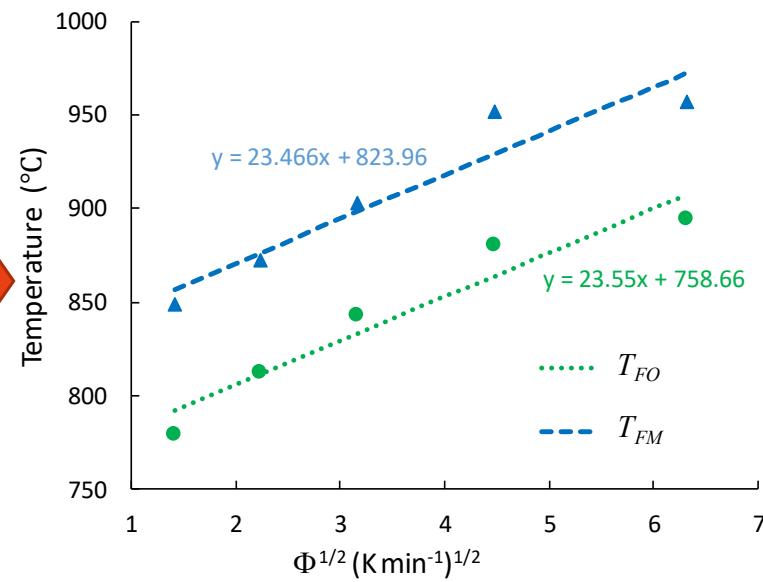
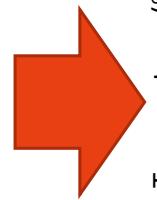
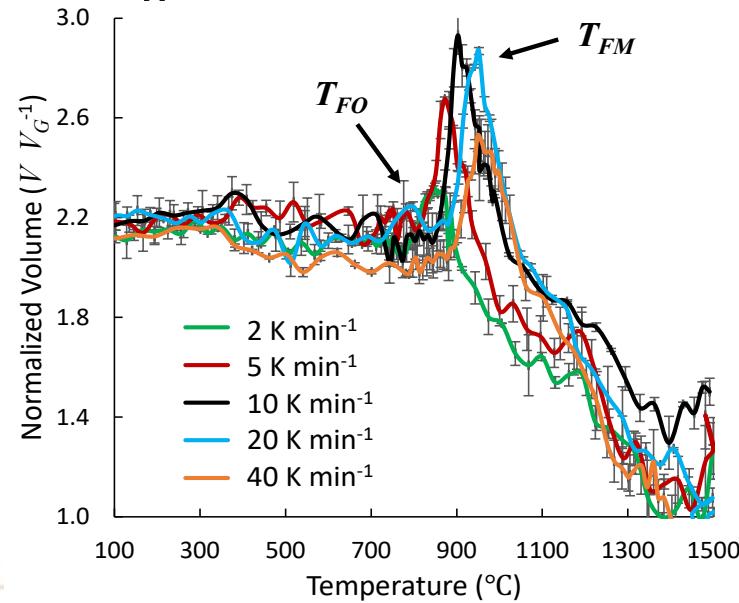
- The feed volume shifts to higher temperatures in response to faster heating



Volume expansion – Feed expansion test

► The foam onset and maximum temperatures increase with square root of heating rate

- Similarly to temperatures at which a given f_{diss} and f_{loss} values are reached
- This indicates that characteristic of foaming are also closely related to gas evolving reactions and to silica dissolution





DISCUSSION

Effects of kinetics on melting rate

- The melting rate depends on the heat flux to the batch from below and above

$$j_B = \xi_B (T_{MO} - T_B) \Delta H^{-1}$$

j is the melting rate [$\text{kg m}^{-2}\text{s}^{-1}$]
 ΔH is the conversion heat [J kg^{-1}]
 ξ is the heat transfer coefficient [$\text{W m}^{-2}\text{K}^{-1}$]
 T_{MO} is the melter operating temperature [K]
 T_B is the batch bottom temperature [K]

- Batch bottom temperature depends on thermal history

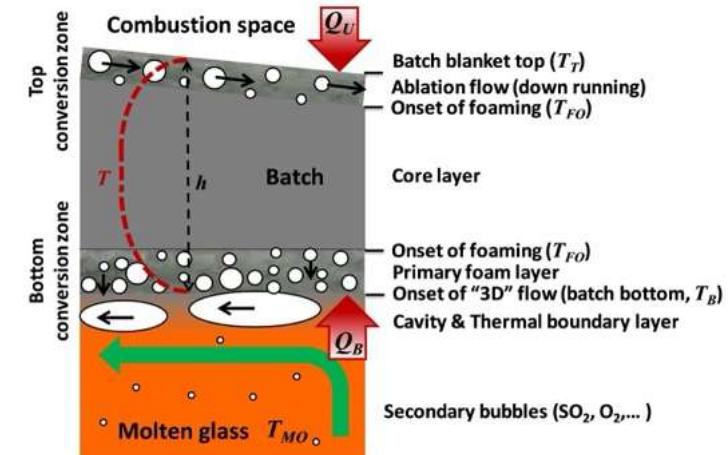
- Characteristic temperatures increase with the square of root of heating rate $T_B = f(\Phi^{1/2})$

$$T_B = T_{B0}[1 + (\Phi/\Phi_B)^{1/2}]$$

- Within the batch blanket, heating rate increases with the square of melting rate, $\Phi \sim C j^2$

- Substituting, we find linear relation between batch bottom temperature and melting rate

$$T_B = T_{B0}[1 + K j_B]$$



Effects of kinetics on melting rate

- The melting rate depends on the heat flux to the batch from below and above

$$j_B = \xi_B (T_{MO} - T_B) \Delta H^{-1} \longrightarrow j_B = \xi_B (T_M - T_{B0}[1 + Kj_B]) \Delta H^{-1}$$

- Batch bottom temperature depends on thermal history

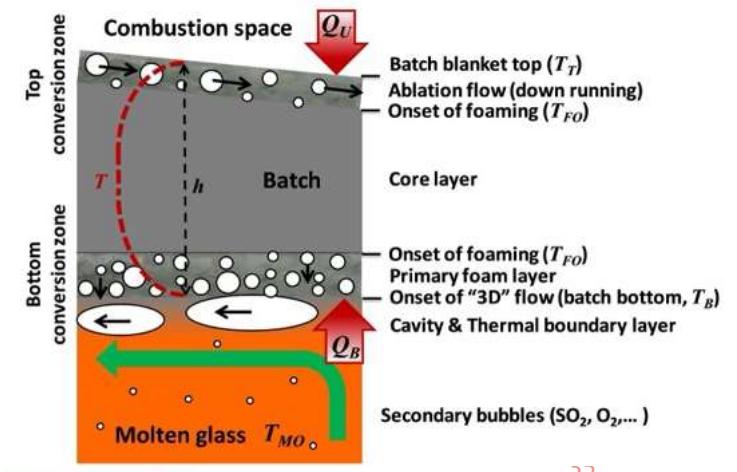
- Characteristic temperatures increase with the square of root of heating rate $T_B = f(\Phi^{1/2})$

$$T_B = T_{B0}[1 + (\Phi/\Phi_B)^{1/2}]$$

- Within the batch blanket, heating rate increases with the square of melting rate, $\Phi \sim Cj^2$

- Substituting, we find linear relation between batch bottom temperature and melting rate

$$T_B = T_{B0}[1 + Kj_B]$$



Effects of kinetics on melting rate

- The melting rate depends on the heat flux to the batch from below and above

$$j_B = \xi_B (T_{MO} - T_B) \Delta H^{-1} \longrightarrow j_B = \xi_B (T_M - T_{B0}[1 + Kj_B]) \Delta H^{-1}$$

- Batch bottom temperature depends on thermal history

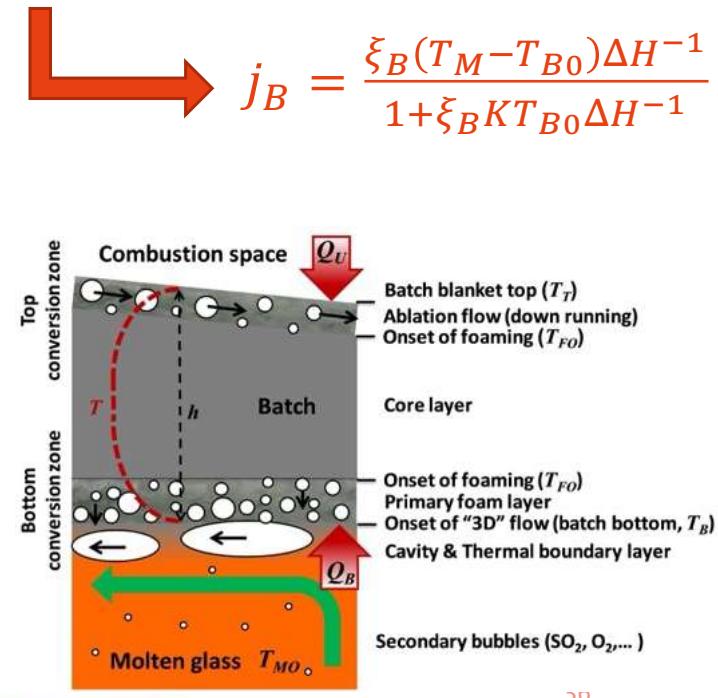
- Characteristic temperatures increase with the square of root of heating rate $T_B = f(\Phi^{1/2})$

$$T_B = T_{B0}[1 + (\Phi/\Phi_B)^{1/2}]$$

- Within the batch blanket, heating rate increases with the square of melting rate, $\Phi \sim Cj^2$

- Substituting, we find linear relation between batch bottom temperature and melting rate

$$T_B = T_{B0}[1 + Kj_B]$$



Effects of kinetics on melting rate

► Black dashed line

Considering conversion kinetics

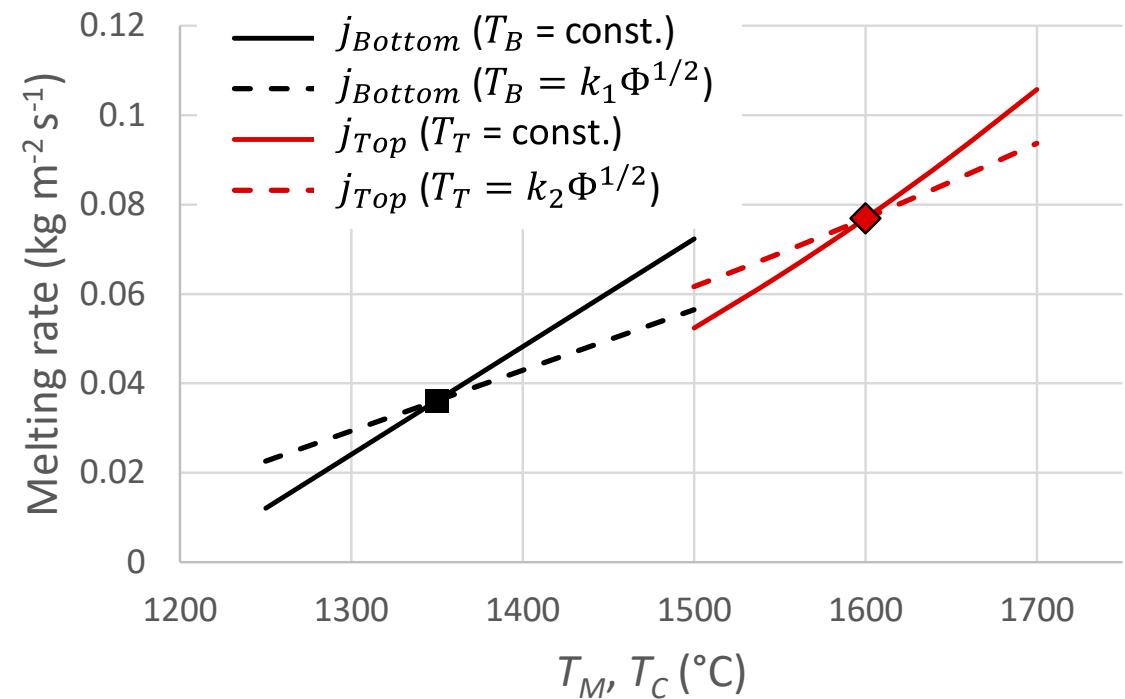
$$j_B = \frac{\xi_B(T_M - T_{B0})\Delta H^{-1}}{1 + \xi_B K T_{B0} \Delta H^{-1}}$$

► Black solid line

Without conversion kinetics

$$j_B = \xi_B(T_{MO} - T_B)\Delta H^{-1}$$

► Melting rate affected less when effect of kinetics is considered



Detailed batch model

► Kinetic equation for silica dissolution

- Sestak-Bergren

$$\frac{df_i}{dt} = A_i f_i^m (1 - f_i)^n \exp\left(-\frac{E_i}{RT}\right)$$

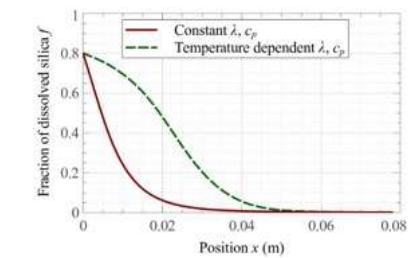
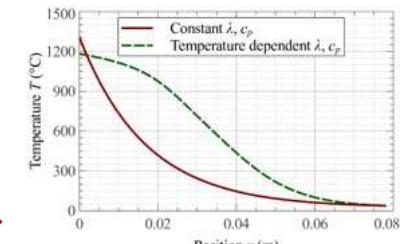
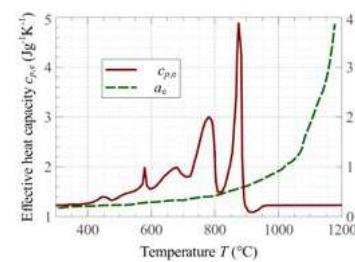
► Energy balance

- Steady-state melting

$$jc_{p,e} \frac{dT}{dx} + \frac{d}{dx} \left(\lambda \frac{dT}{dx} \right) = 0$$

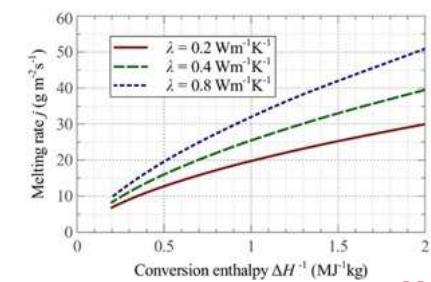
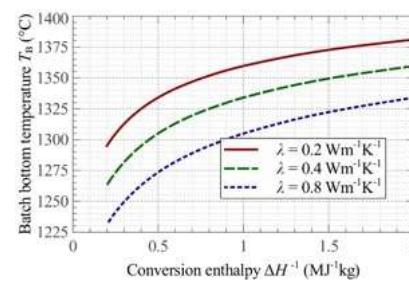
► Equations for material properties, boundary conditions

Temperature-dependent material properties



Doi, Y., et al. (2018). "Thermal diffusivity of soda-lime-silica powder batch and briquettes." *Glass Technology - European Journal of Glass Science and Technology Part A* 59(3): 92-104.

Effect of heat conductivity



THANK YOU



Saint-Gobain credits to:

- Marie-Hélène Chopinet
- Katia Burov
- William Woelffel
- Julien Grynberg
- Jean-Marc Flesselles
- Cécile Jousseau
- Pierre Gougeon
- Neill McDonald
- Eric Janiaud
- Johnny Vallon, Nathalie Ferruaud & Samuel Pierre...

& Mike Toplis /IRAP

E. Boller, A. Rack, L. Salvo, P. Lhuissier / ESRF & Simap
E. Veron / CEMHTI

Richard Pokorny credits to:

- Jaroslav Kloužek, Petra Cincibusová, Miroslava Vernerová (UCT Prague)
- Pavel Ferkl (PNNL, USA)
- Pavel Hrma, Albert A. Kruger (US DOE)
- Nanako Ueda, Tetsuji Yano (TITECH, Japan)